

CORRELATING GRAVITATIONAL WAVE AND GAMMA-RAY SIGNALS FROM PRIMORDIAL BLACK HOLES

Based on ArXiv:2202.04653 with

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PRIMORDIAL BLACK HOLES

ASTEROID-MASS PRIMORDIAL BLACK HOLES

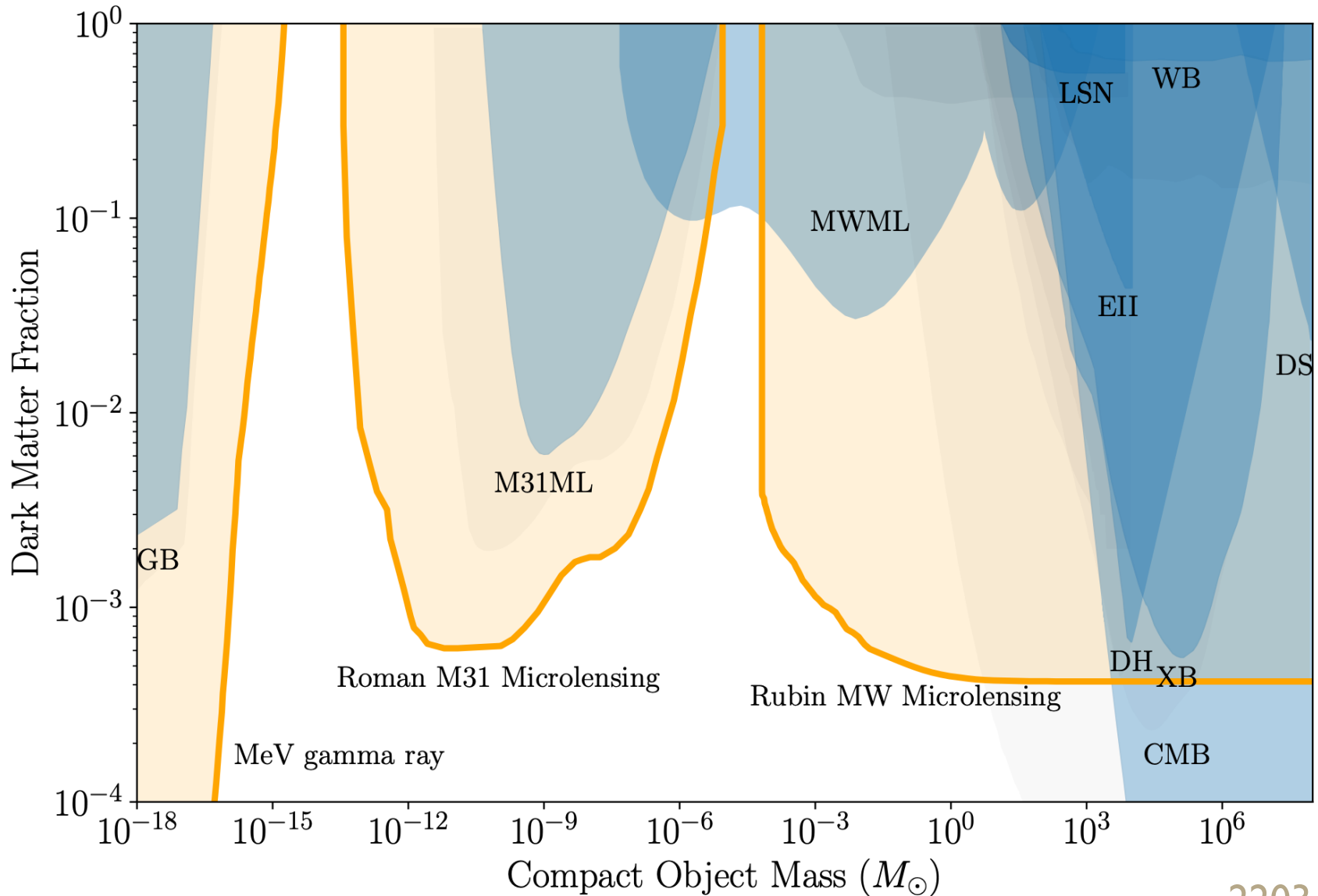
Why Asteroid-Mass?

- Less constrained
- Upcoming gamma-ray observations
- Clear production mechanism
- Correlation with gravitational waves

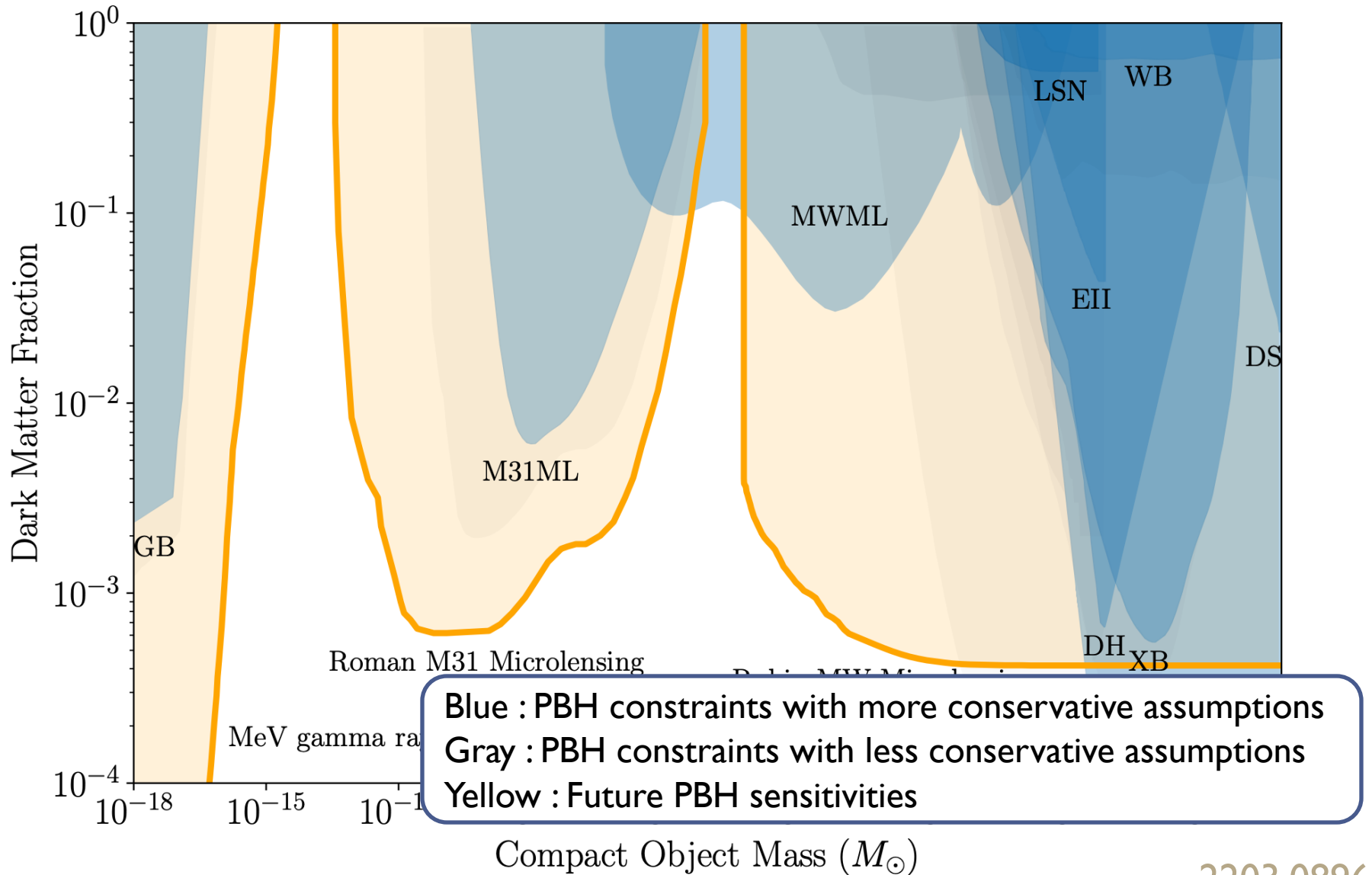
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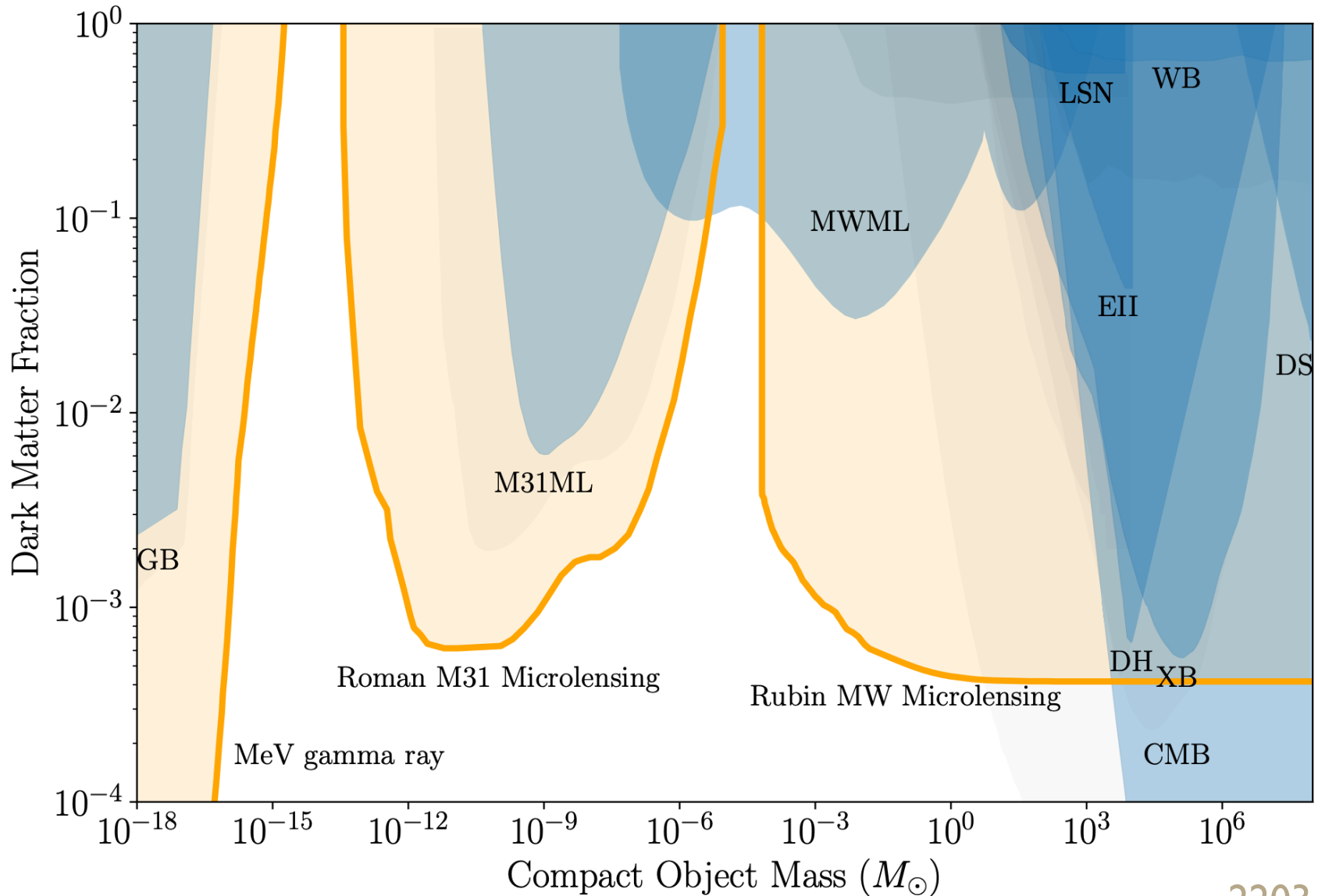
PBH Constraints



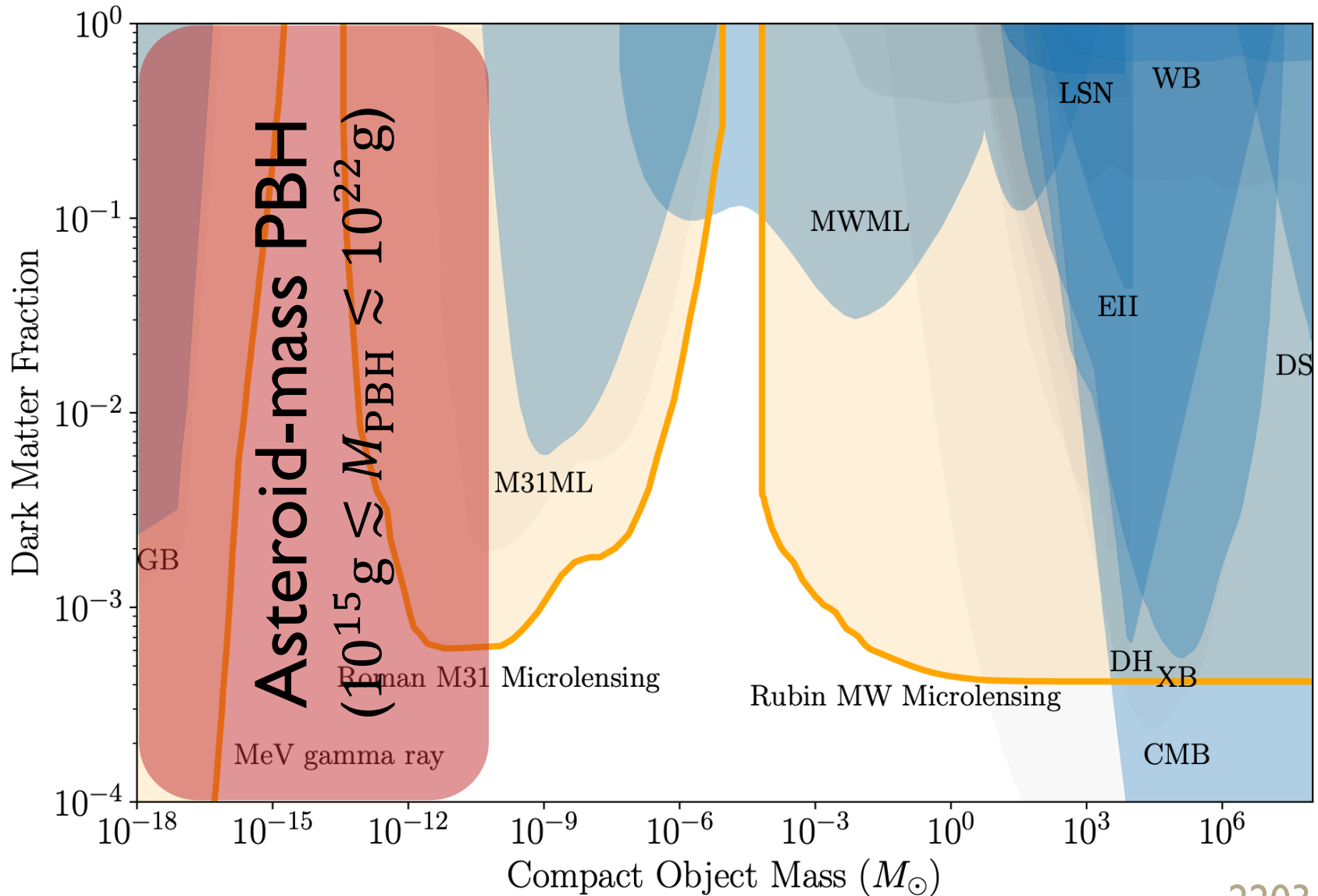
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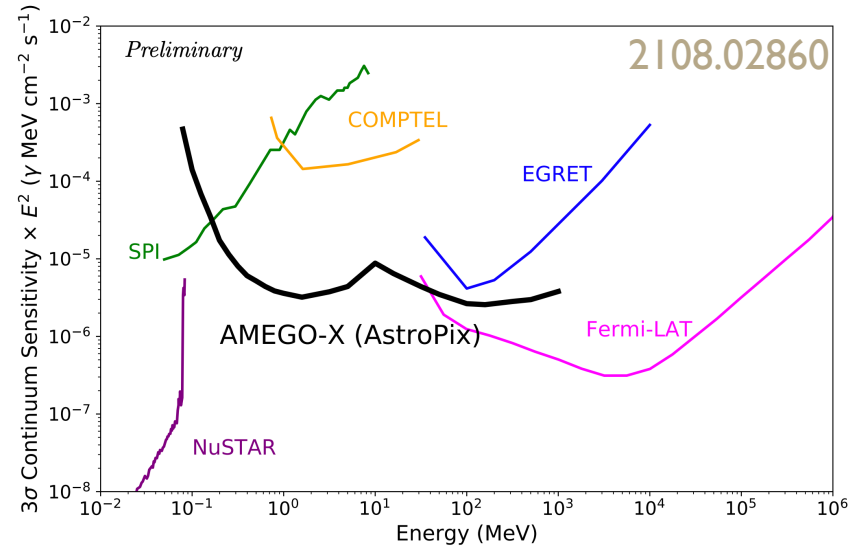
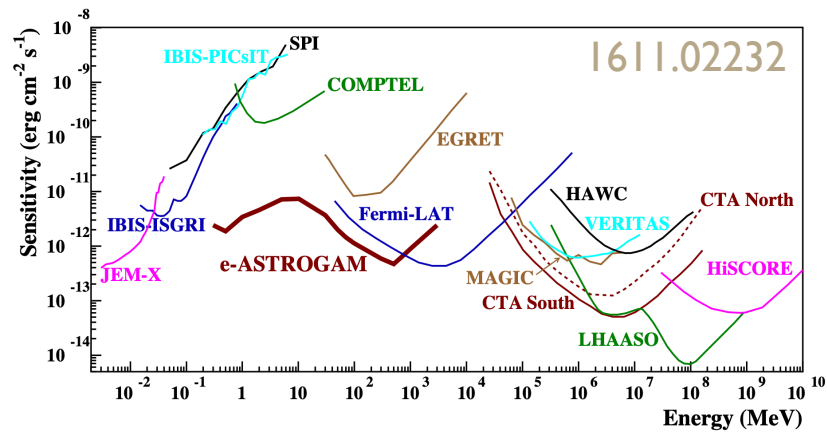
Hawking Radiation

- Black holes emit Hawking radiation with the Hawking temperature

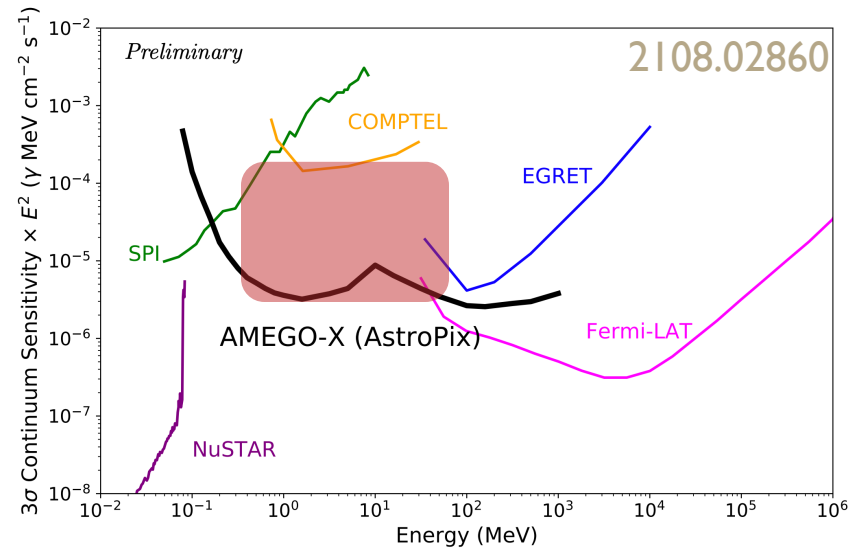
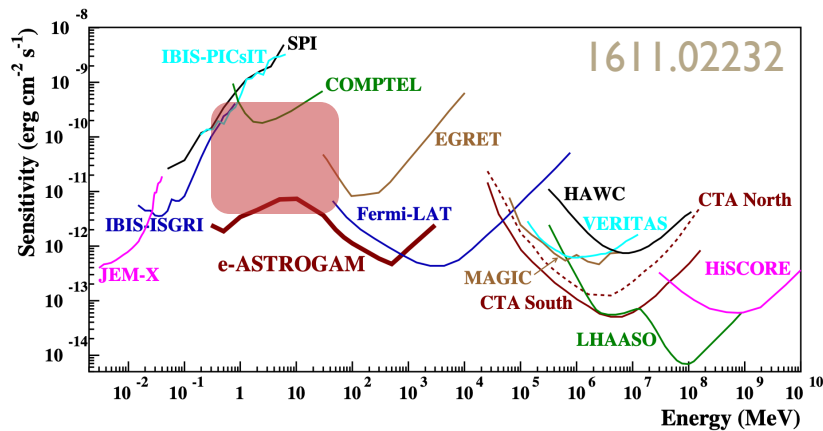
$$T_{\text{BH}} = \frac{1}{8\pi G M_{\text{BH}}} \sim 1 \text{ MeV} \left(\frac{10^{16} \text{ g}}{M_{\text{BH}}} \right)$$

- Asteroid-mass PBH emits MeV-scale photons
- Those photons can be detected in future gamma-ray observations

Gamma-ray signals from PBH

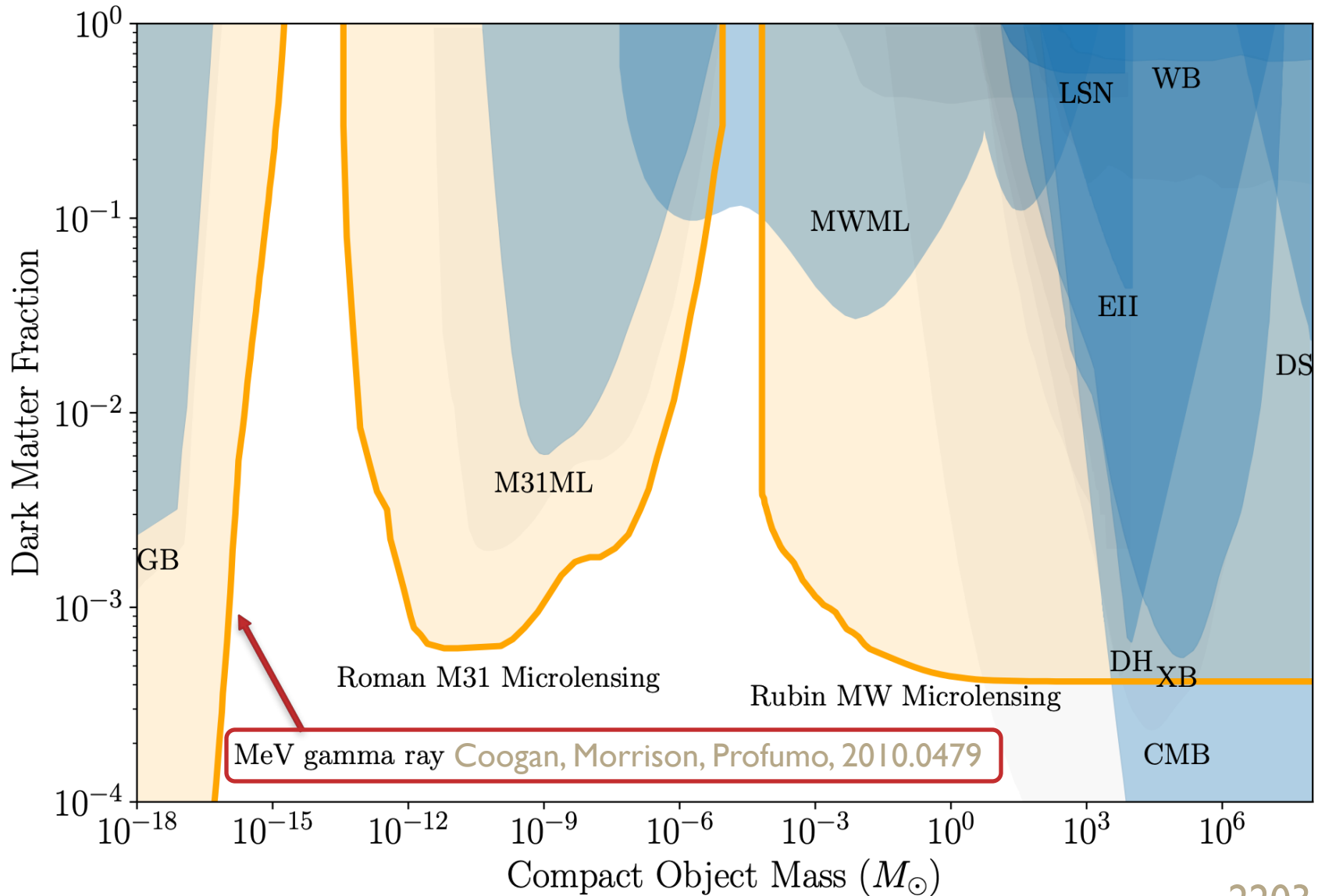


Gamma-ray signals from PBH

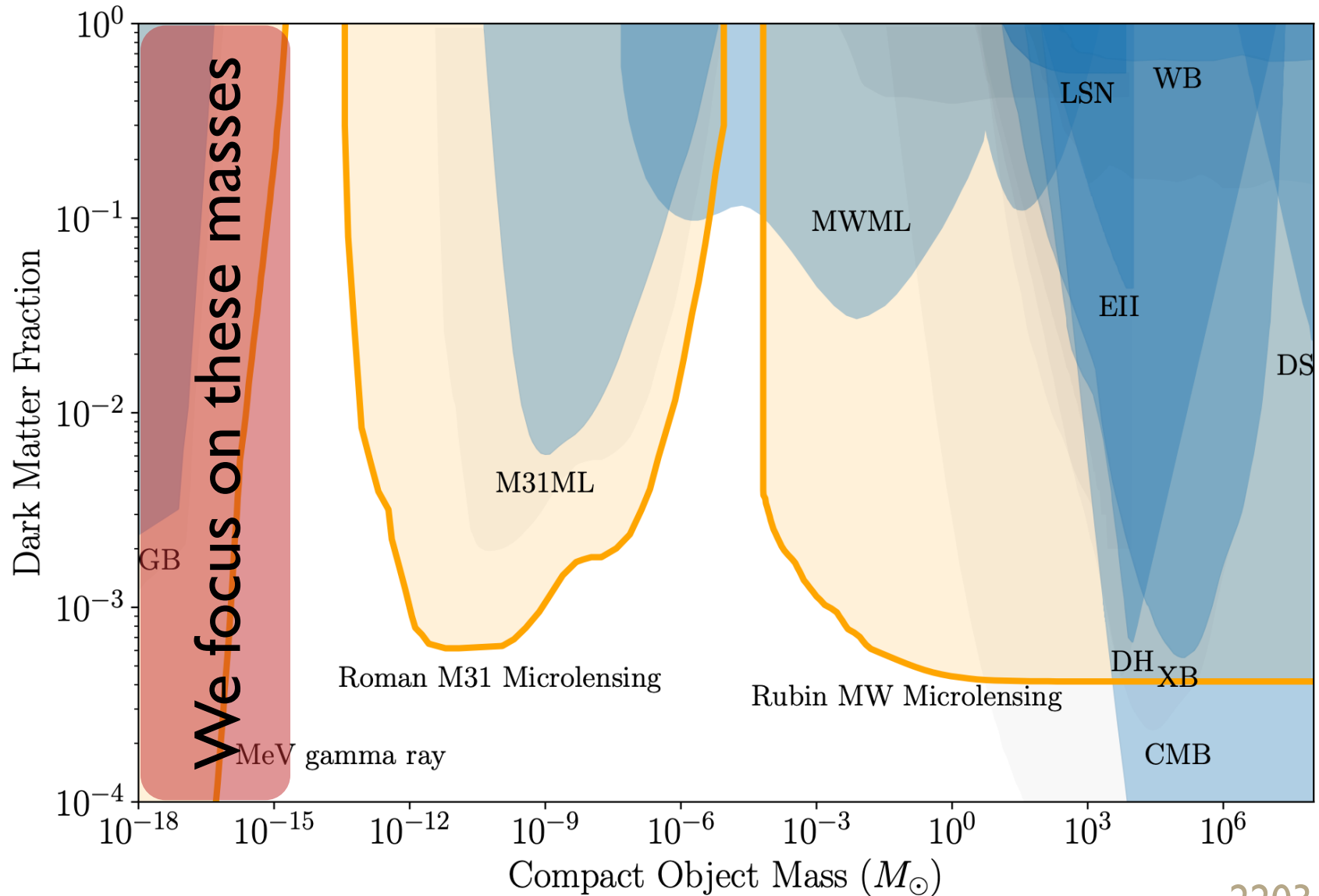


- Covers $0.1 \text{ MeV} \lesssim E_\gamma \lesssim 100 \text{ MeV}$
- Corresponds to $10^{14} \text{ g} \lesssim M_{\text{PBH}} \lesssim 10^{17} \text{ g}$

PBH Constraints



PBH Constraints



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Large Curvature Perturbations

- PBH can be produced from the collapse of Hubble patches with large perturbations
- Such large perturbations are less constrained on small scales ($k \gg 1\text{Mpc}^{-1}$)
- We use Press-Schechter formalism and get

$$M_{PBH} \sim 10^{17} \text{g} \left(\frac{10^{15} \text{Mpc}^{-1}}{k_p} \right)^2$$

Why Asteroid-Mass?

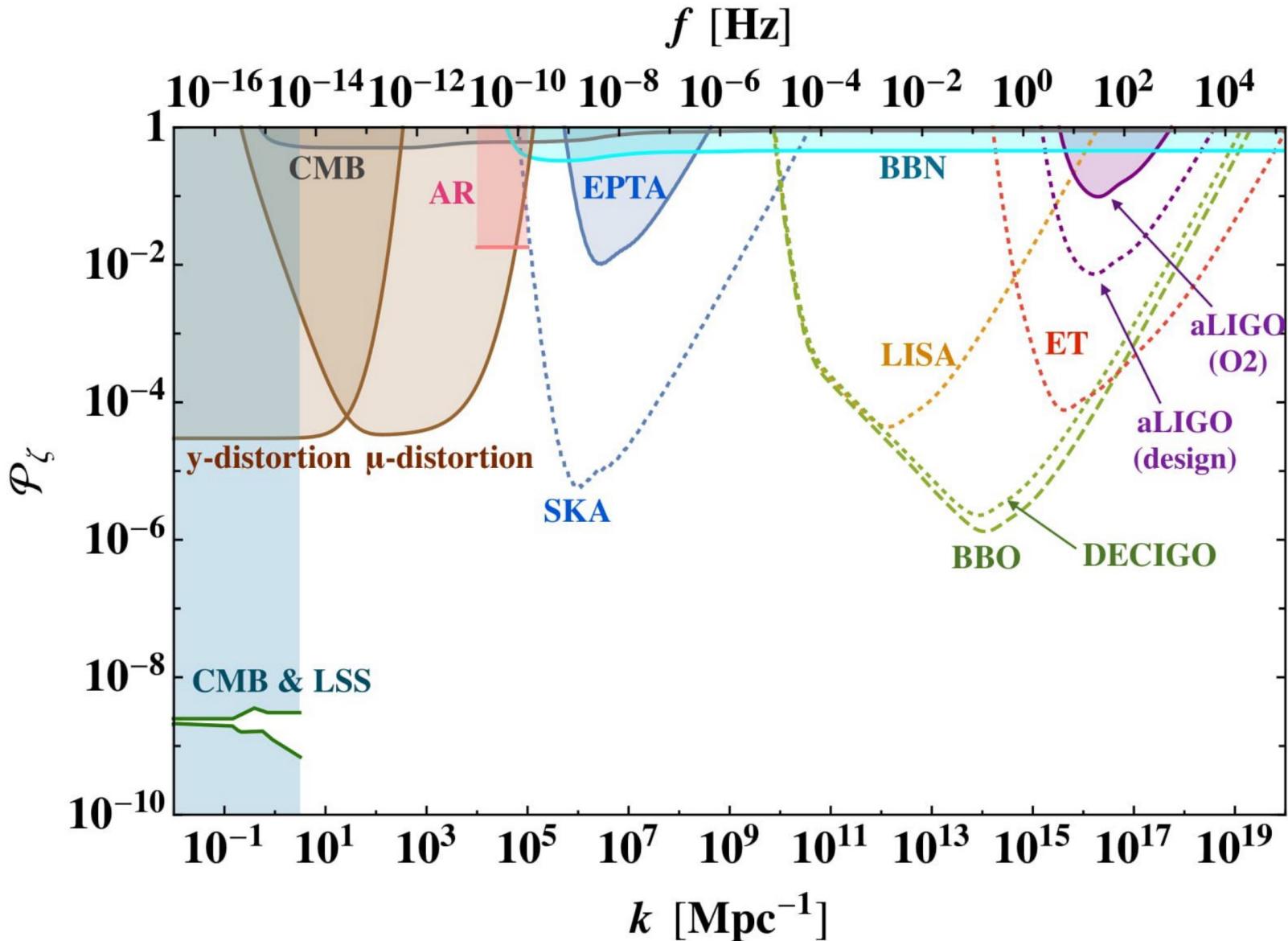
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- **Correlation with gravitational waves**

GW from curvature perturbations

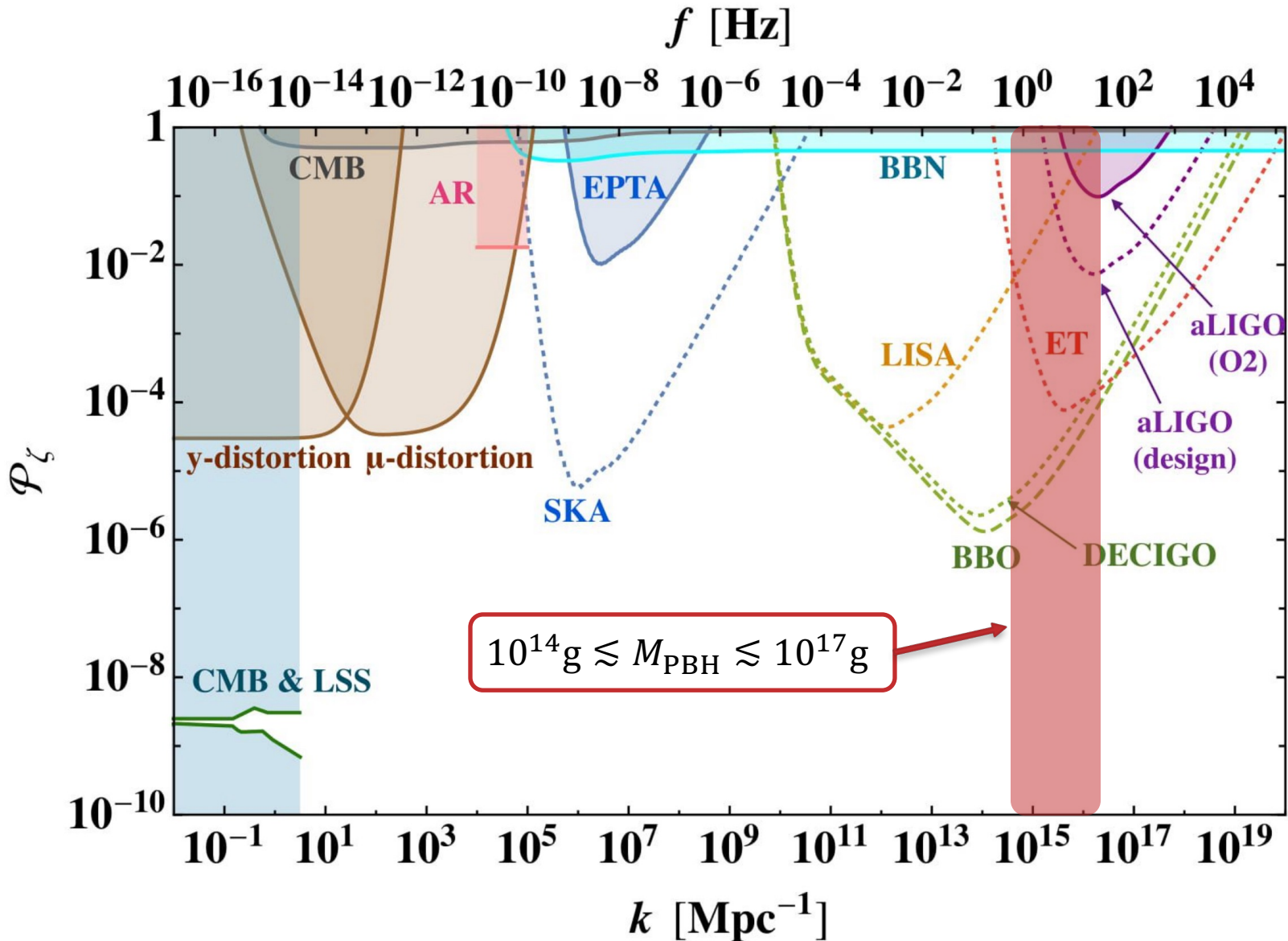
- GWs are necessarily produced from the primordial curvature perturbations at second-order
- These induced GW can be large due to the large amplitude of perturbations at small-scale

- $f_{GW} \sim 1 \text{ Hz} \left(\frac{10^{15} \text{ Mpc}^{-1}}{k_p} \right)^2$

Curvature perturbation constraints and sensitivity



Curvature perturbation constraints and sensitivity



Big Picture

**Asteroid-Mass
Primordial Black Hole**

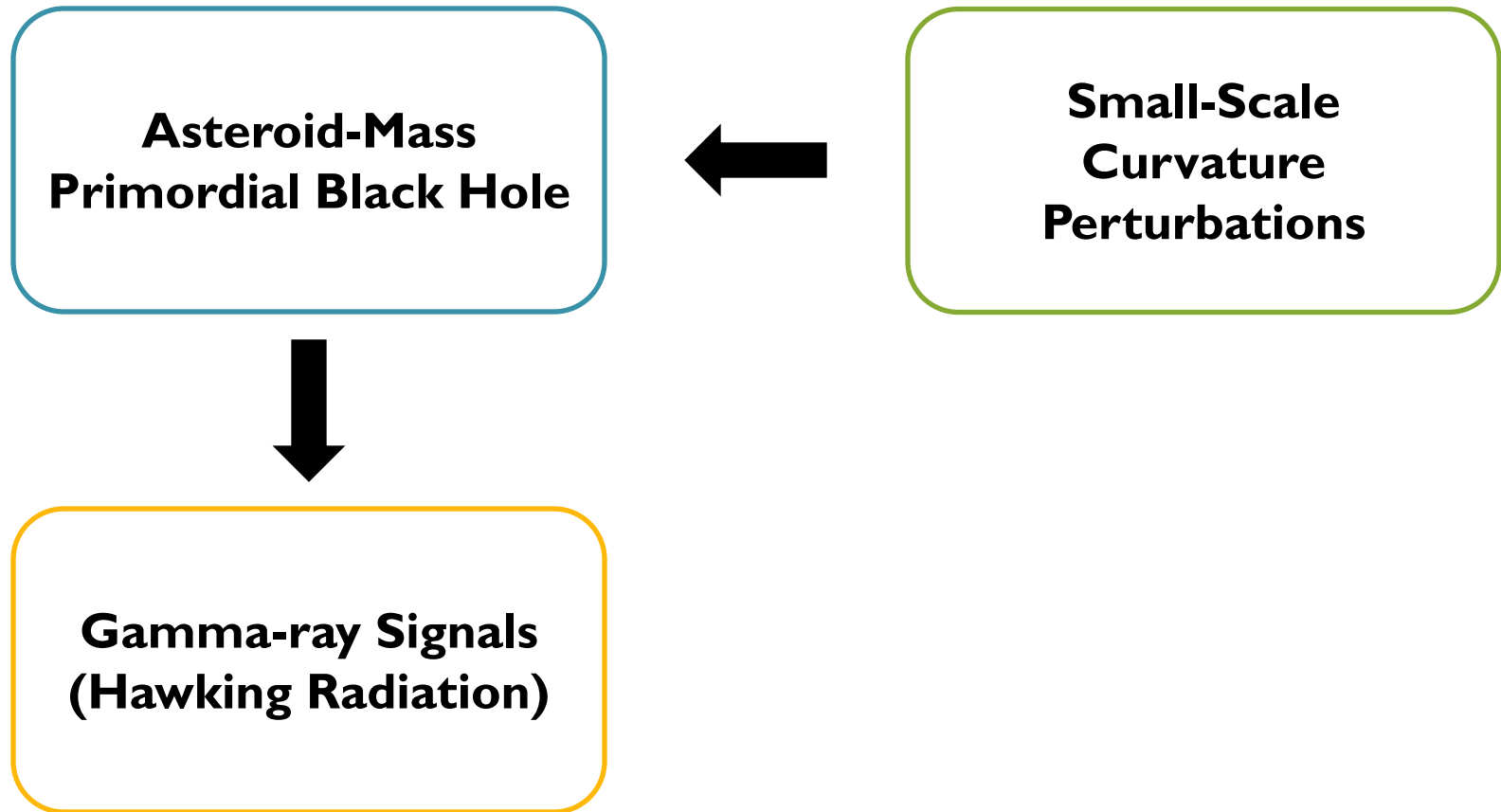
Big Picture

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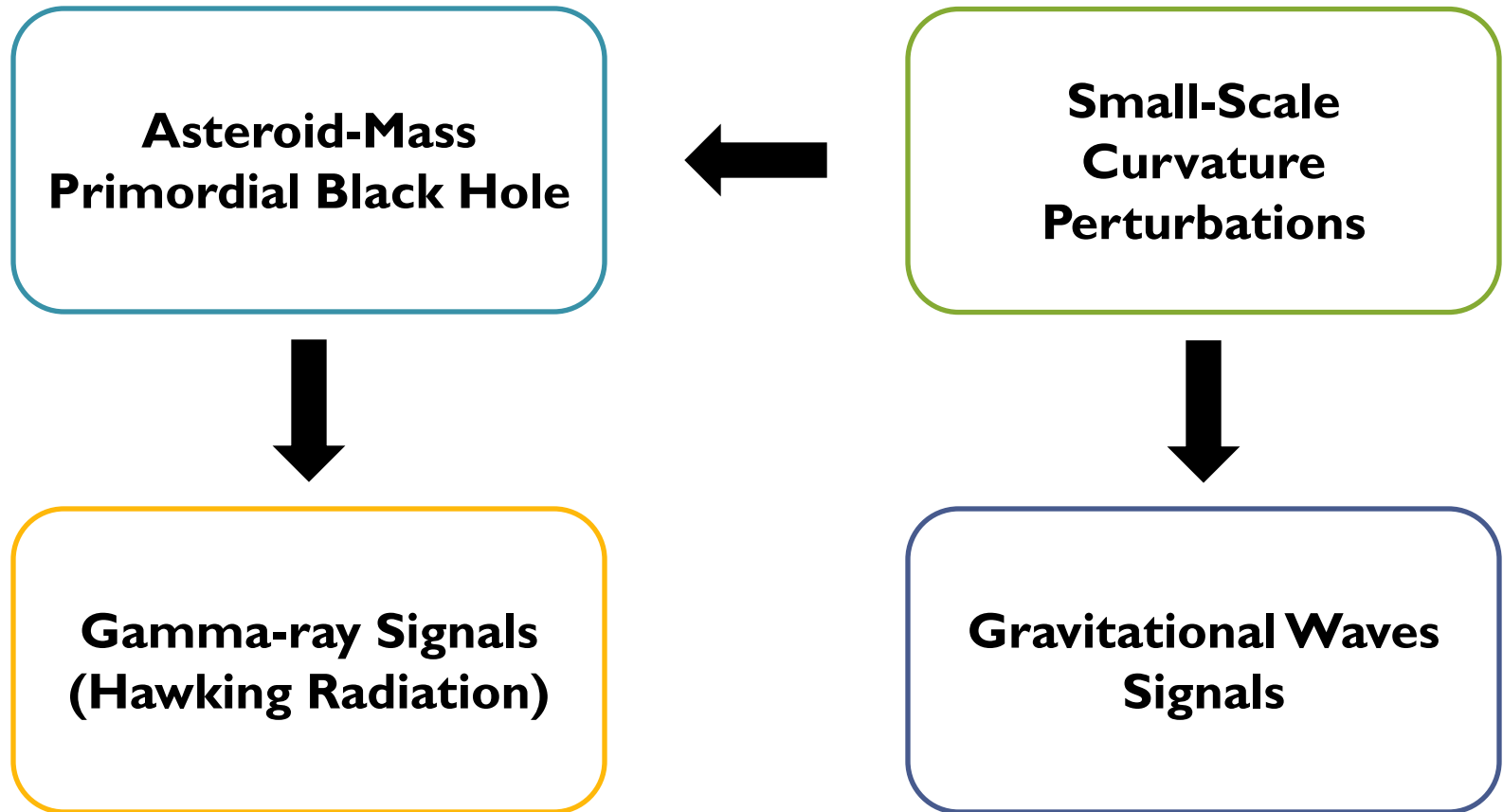


**Gamma-ray Signals
(Hawking Radiation)**

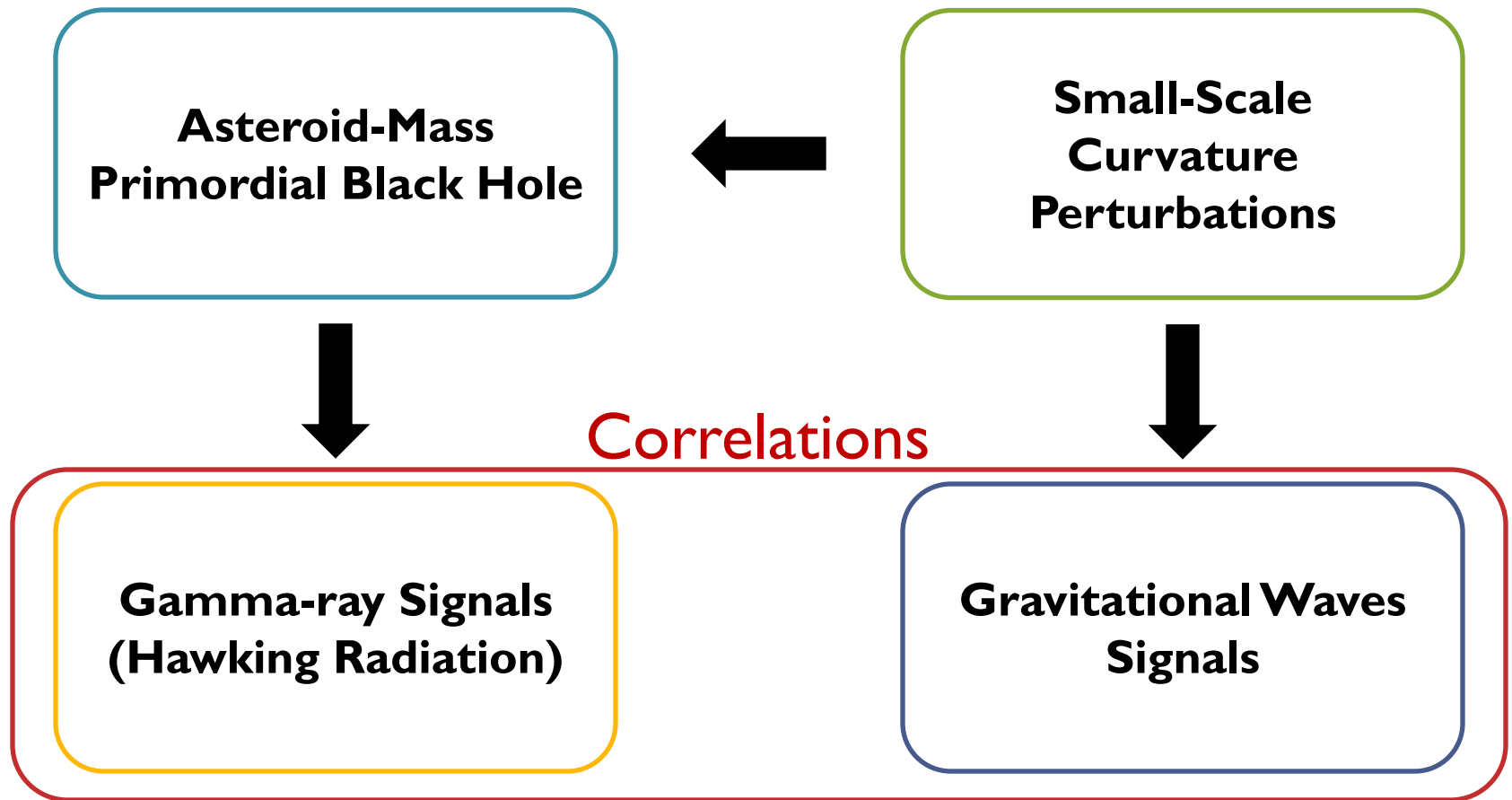
Big Picture



Big Picture

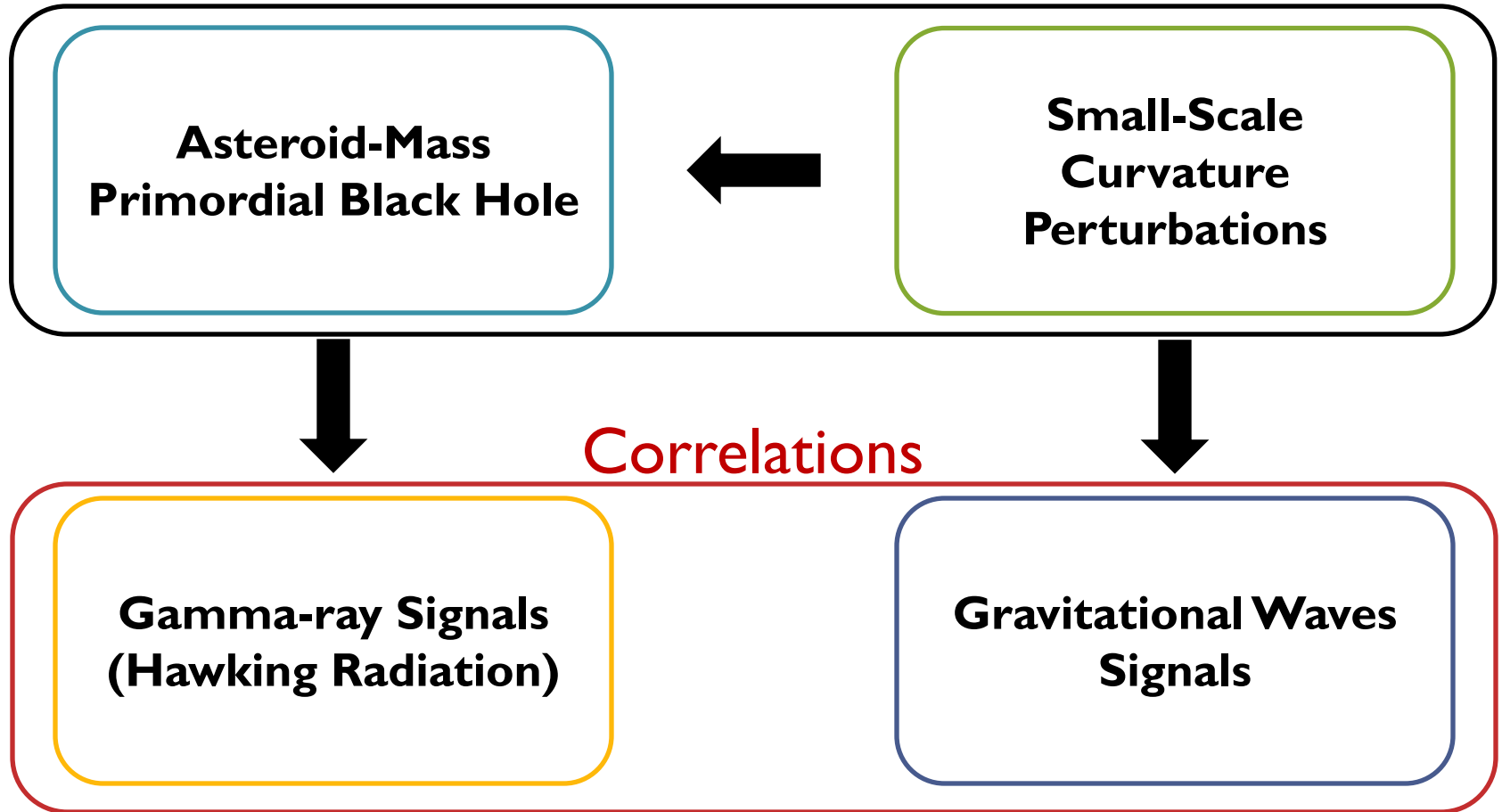


Big Picture

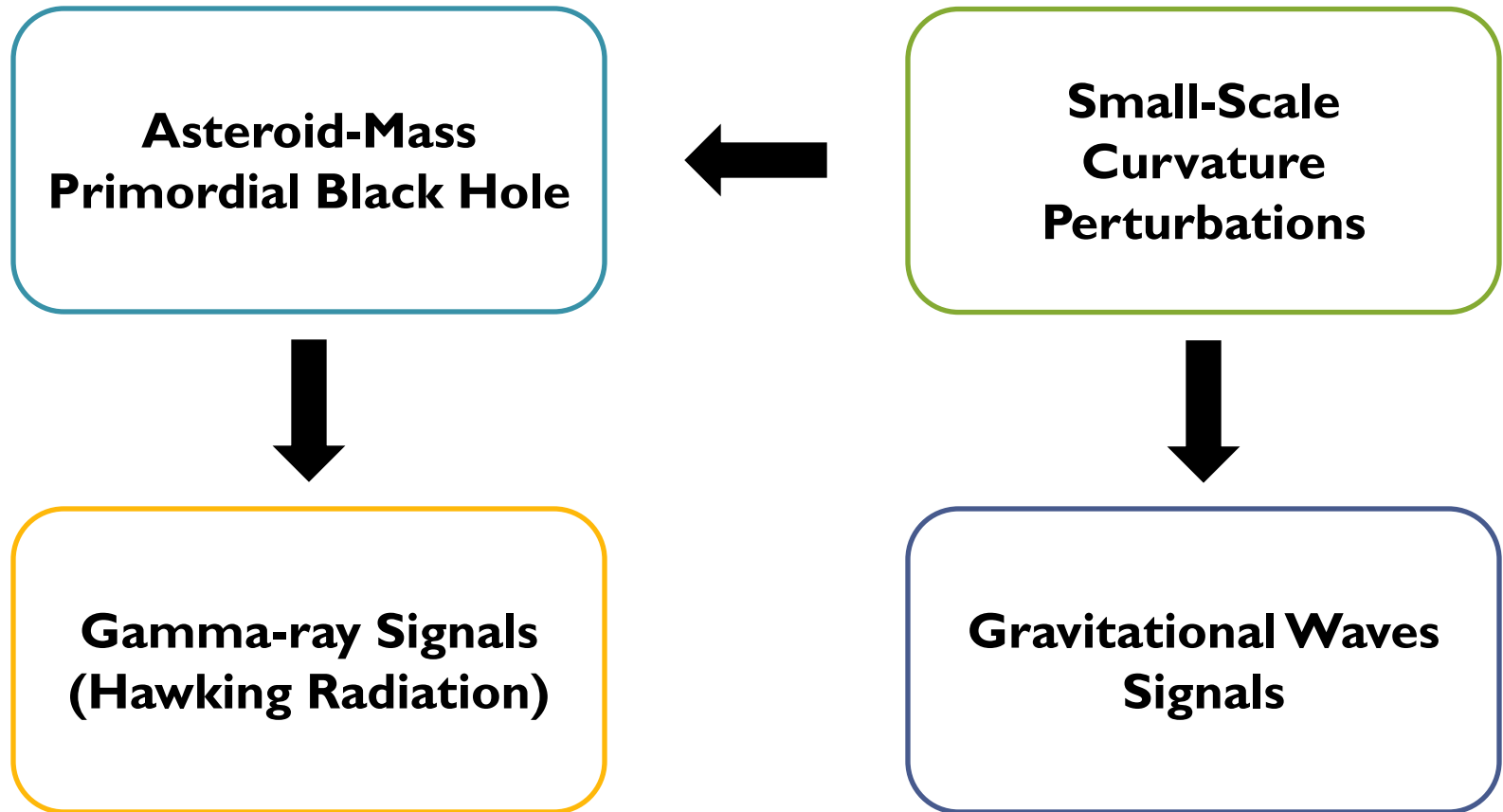


Big Picture

Measure Parameters



Big Picture



Big Picture

Young, Musso
2001.06469
Kozaczuk, Lin, Villarama
2203.08967

**Asteroid-Mass
Primordial Black Hole**



**Small-Scale
Curvature
Perturbations**

Blackhawk
1903.01179 ,2108.02737
Coogan, Morrison, Profumo
2010.0479



**Gamma-ray Signals
(Hawking Radiation)**

Kohri, Terada
1804.08577
Inomata, Nakama
1812.00674



**Gravitational Waves
Signals**

ANALYSIS

Two types of curvature perturbations

- δ -function : $A_\delta \delta \left(\log \left(\frac{k}{k_p} \right) \right)$
- Log-normal : $\frac{A}{\sqrt{2\pi\sigma}} \exp \left(- \frac{(\log k - \log k_p)^2}{2\sigma^2} \right)$

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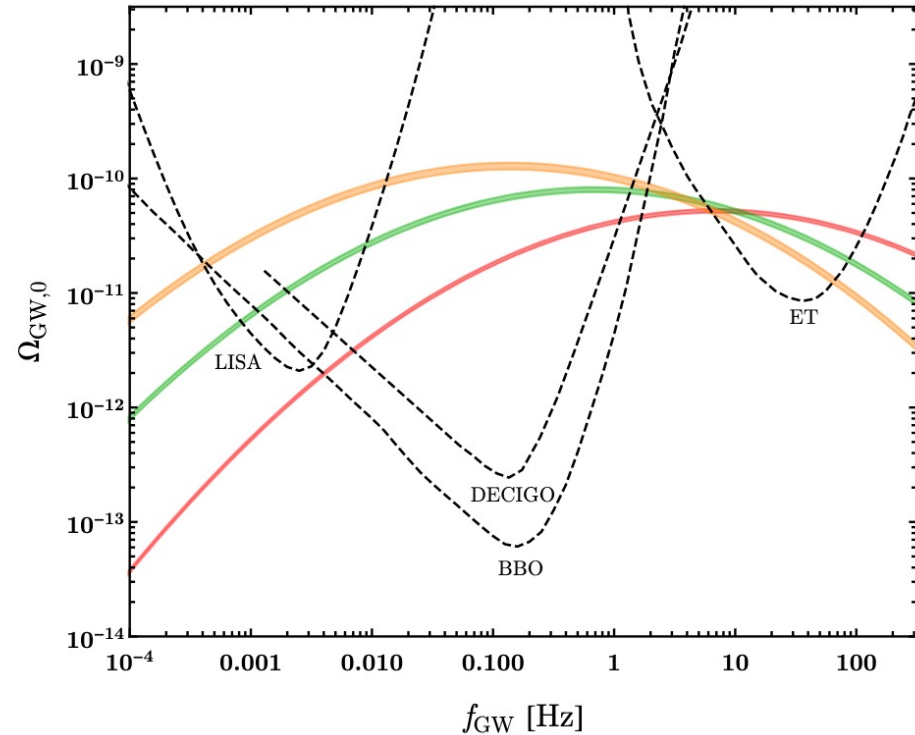
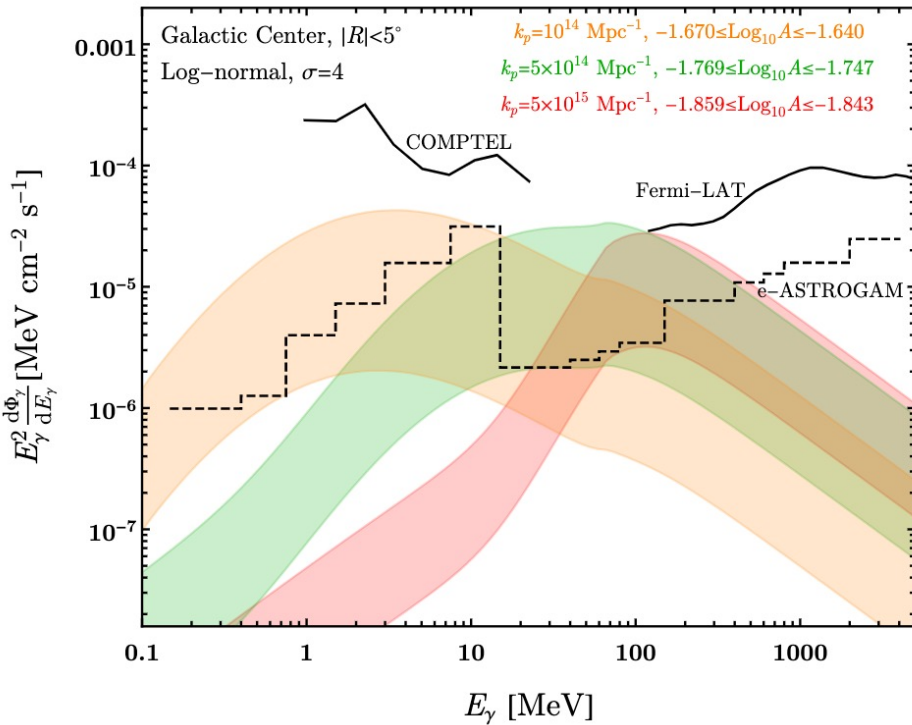
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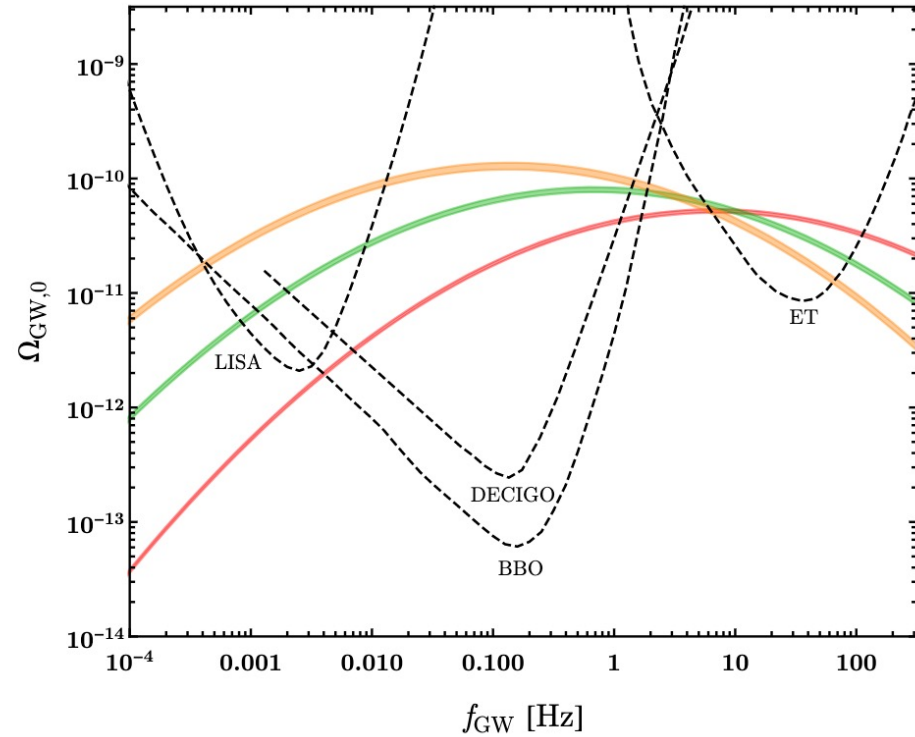
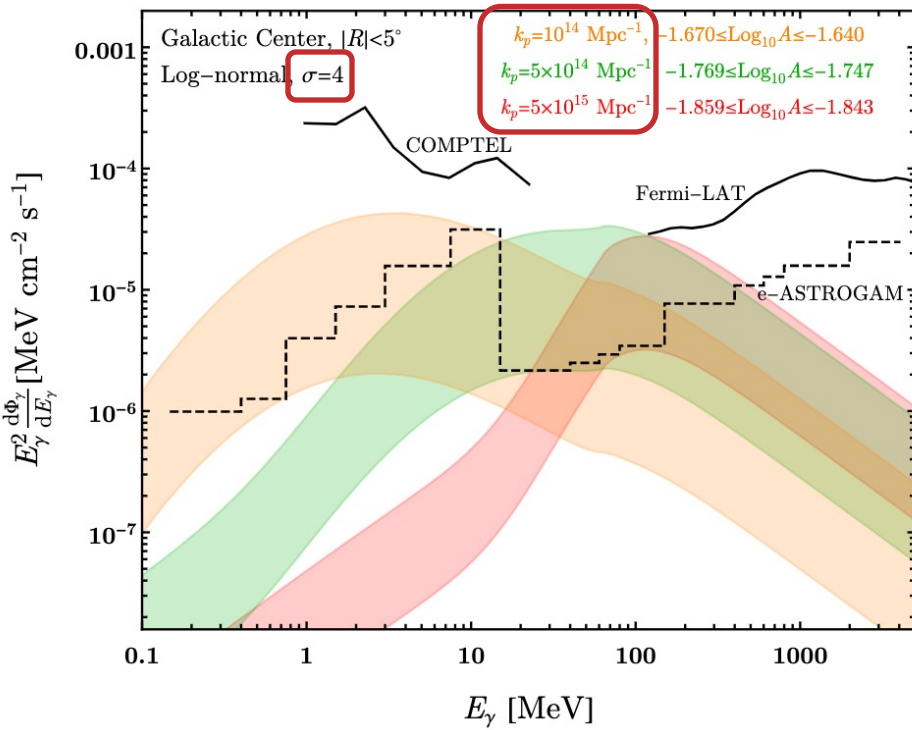
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Free parameters : A, σ, k_p

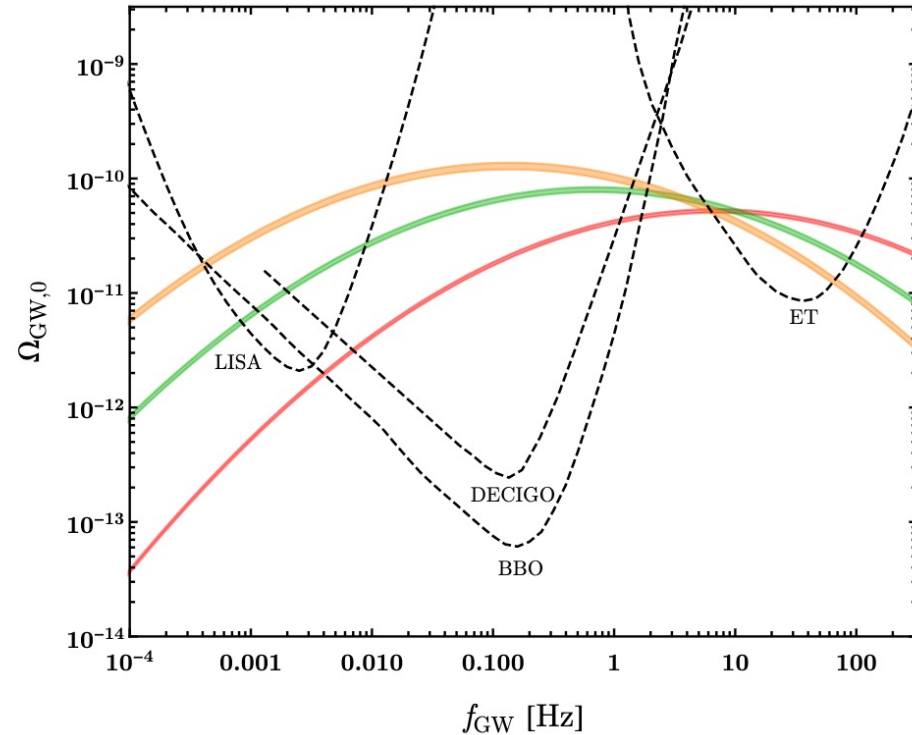
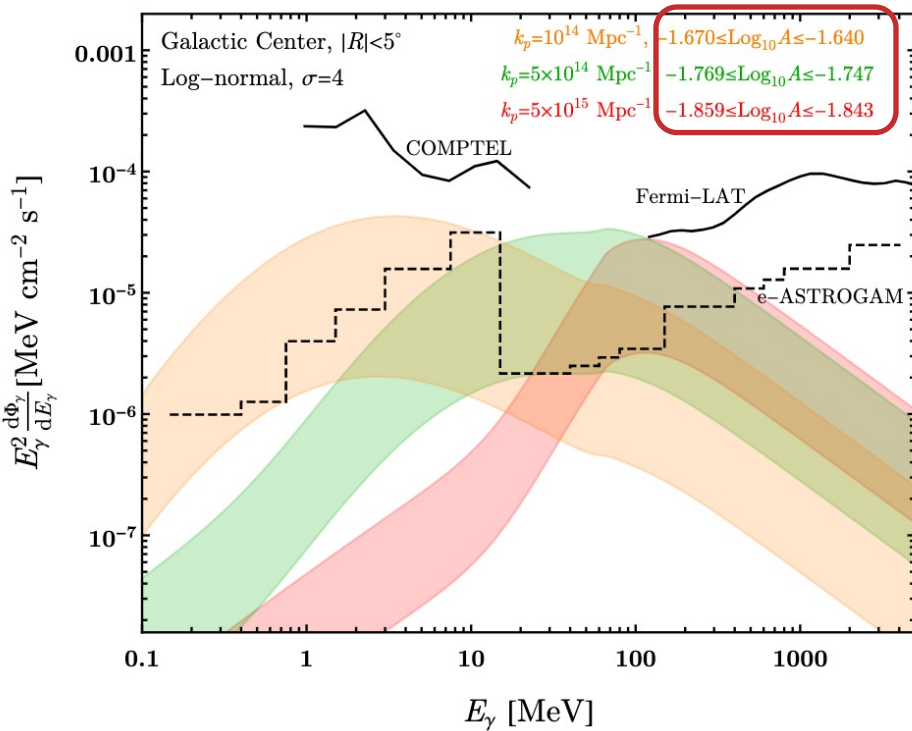
Correlations between gamma-ray and GW signals



Correlations between gamma-ray and GW signals

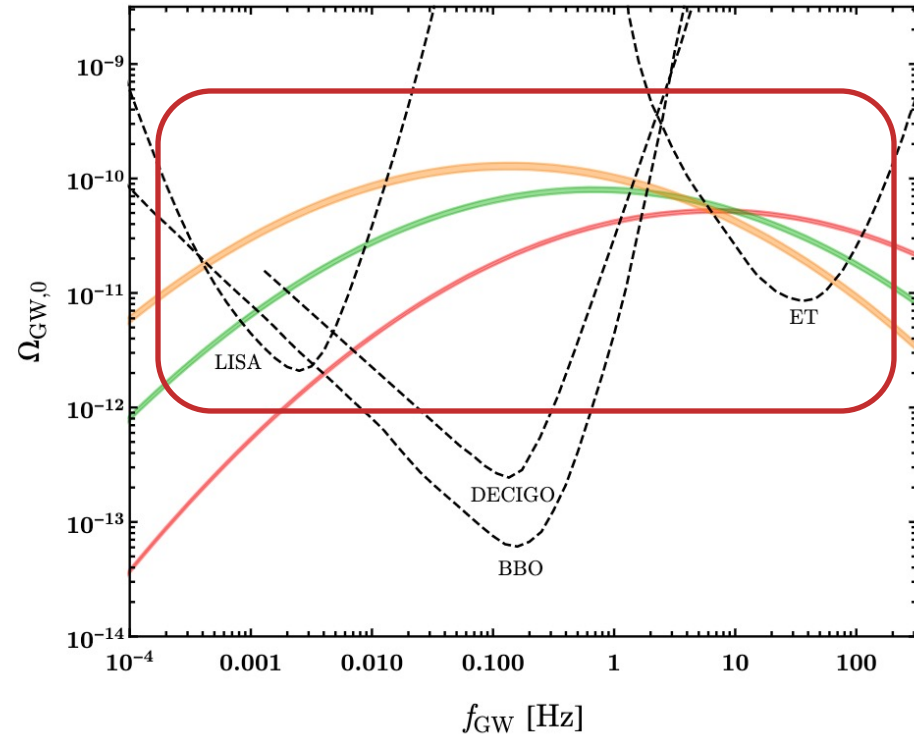
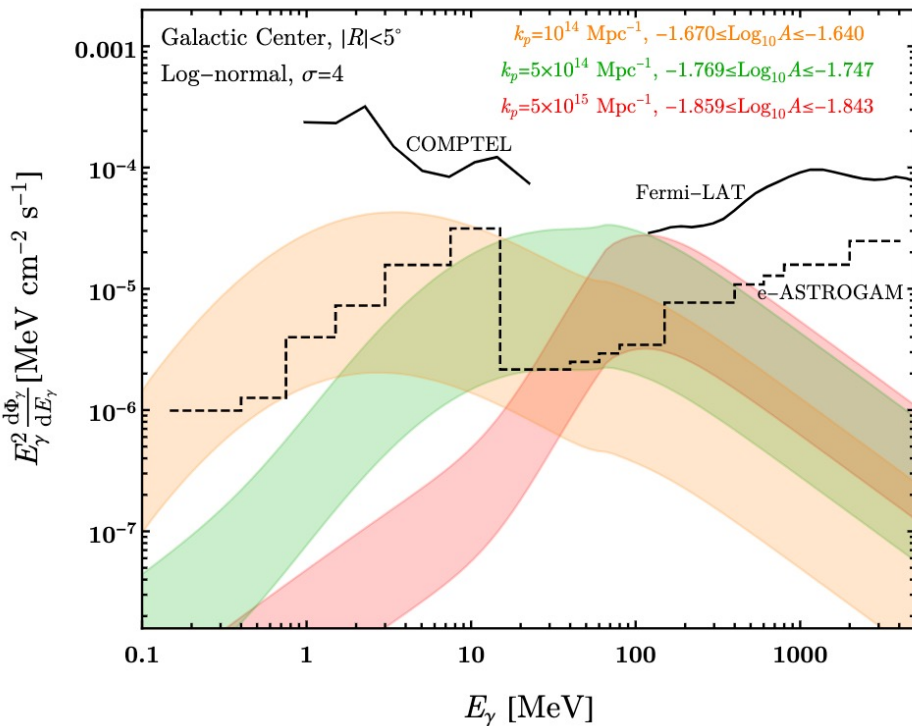


Correlations between gamma-ray and GW signals



- Upper bound for A : Existing bounds (Gamma-ray, $f_{\text{PBH}} \leq 1$)
- Lower bound for A : Above e-Astrogam Sensitivity

Correlations between gamma-ray and GW signals



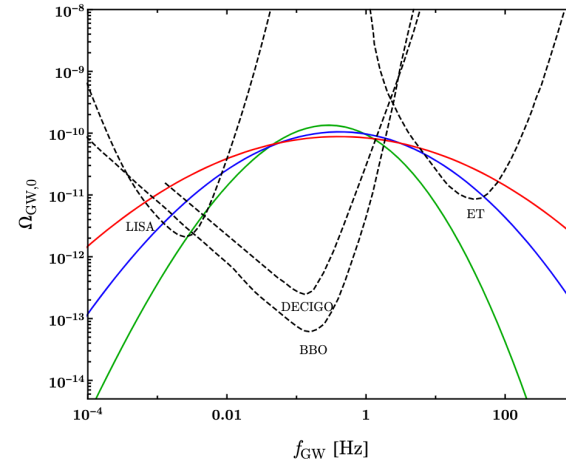
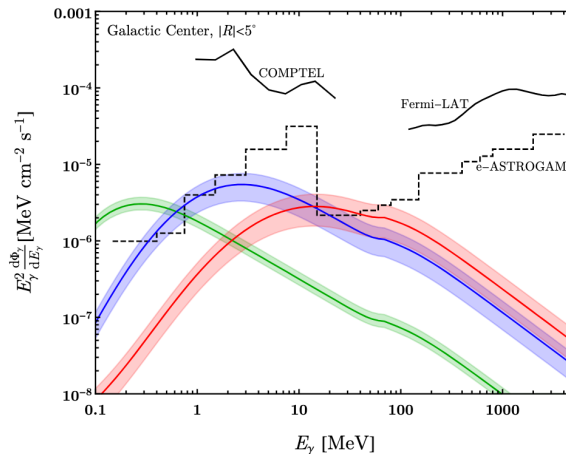
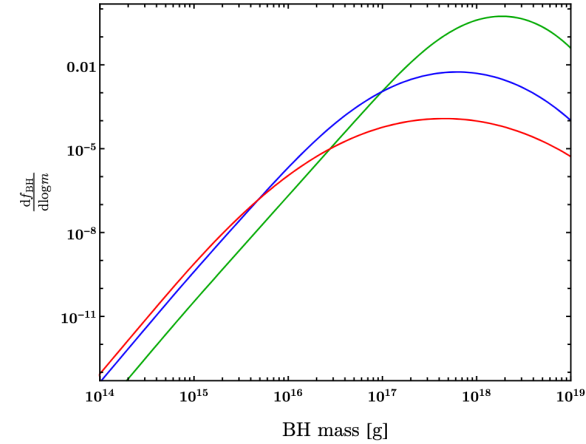
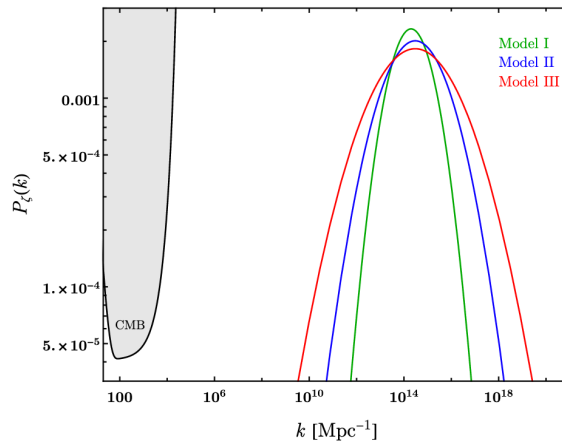
- For the $P_z(k)$ that gives visible gamma-ray signal, the companion GW signals are within the future GW experiments sensitivities!

Question:

How well can we measure
the three $P_{\zeta}(k)$ parameters?

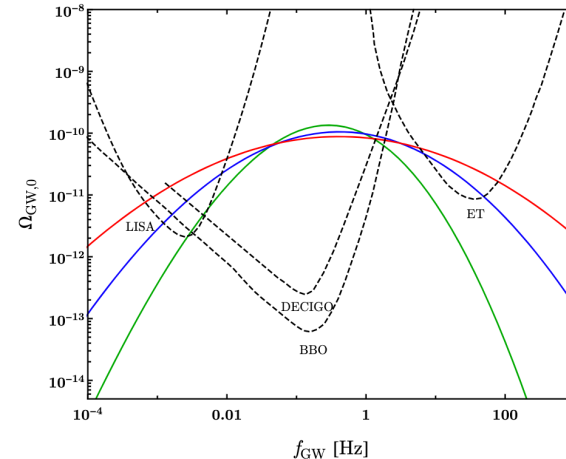
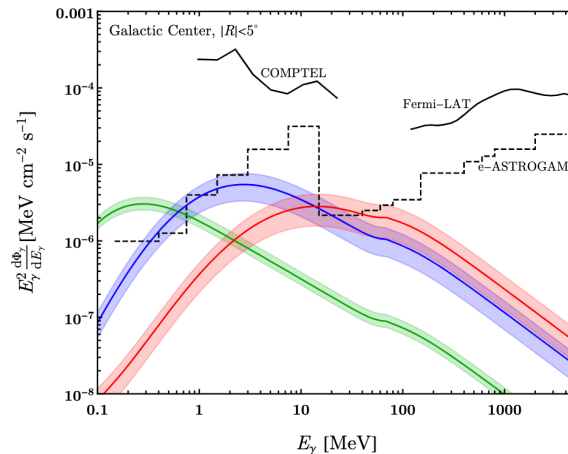
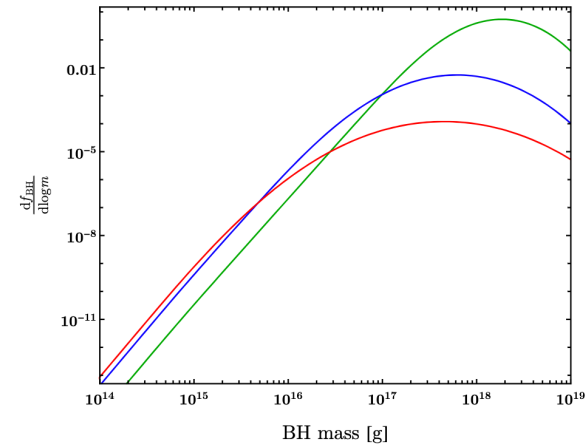
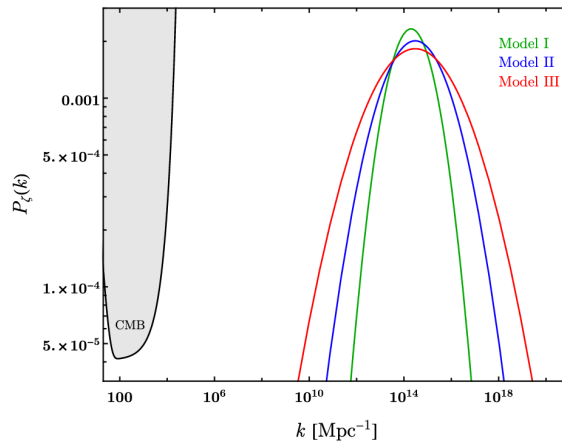
Three examples of $P_\zeta(k)$

Model	σ	k_p [Mpc $^{-1}$]	$\log_{10} A$	$A(2\pi\sigma^2)^{-\frac{1}{2}}$	$f_{\text{BH,total}}$	m^{peak} [g]	σ_m	γ_{eff}
I	2	2×10^{14}	-1.933	2.327×10^{-3}	1.0	1.8×10^{18}	0.76	3.6
II	3	3×10^{14}	-1.820	2.013×10^{-3}	1.4×10^{-2}	6.1×10^{17}	1.0	2.8
III	4	3×10^{14}	-1.737	1.827×10^{-3}	3.7×10^{-4}	4.5×10^{17}	1.2	2.0

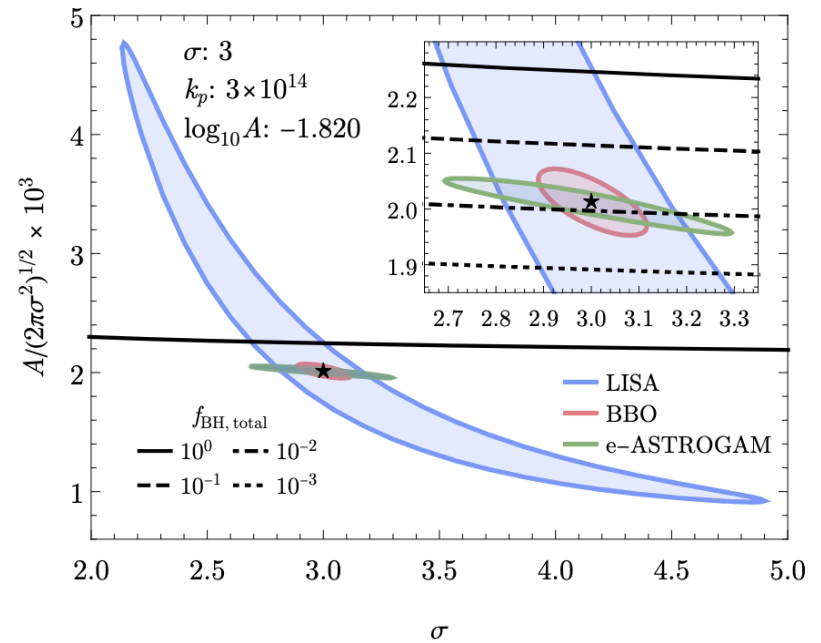
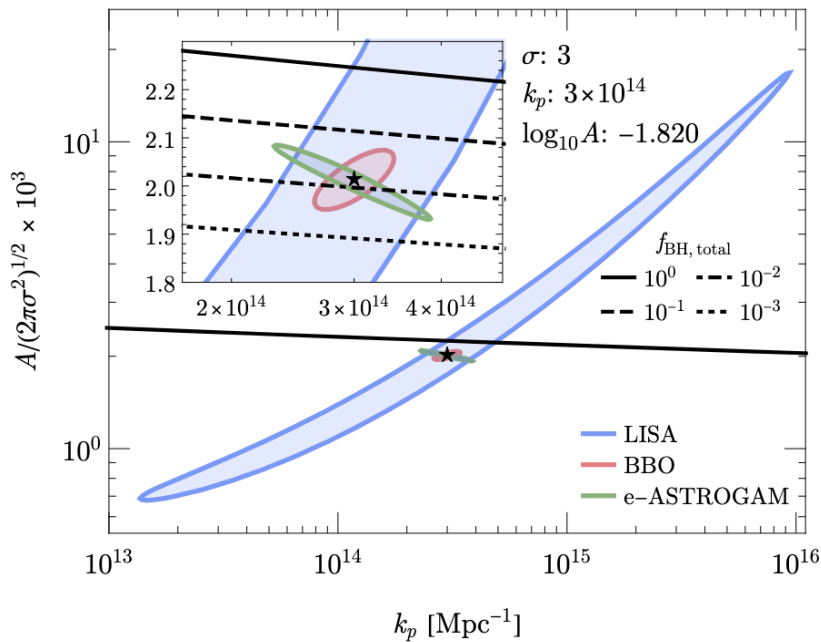


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Likelihood Analysis for Model II



- The 2σ contours for each experiment assuming the log-normal curvature perturbation in case of Model II
- Thanks to the anti-correlation between the two data-sets, we can measure $P_{\zeta}(k)$ parameters very precisely

CONCLUSIONS

Conclusions

- If we get to see the **Hawking radiation** at e-ASTROGAM from primordial black holes produced by **curvature perturbations**, we will see the **GW signal** produced by the same perturbations at future GW detectors
- This leads to a **smoking gun signal** for **distinguishing the PBH** from other gamma-ray sources
- Correlating the gamma-ray and GW signals allows a **precise measurement of the primordial curvature power spectrum**

Future Work

- If we observe gamma-rays from asteroid-mass PBHs, from the photon spectrum we can tell the existence of a dark sector particle that decays or annihilates to photons
- Asteroid-mass PBH is a good source to look for dark sector

THANK YOU