

## QCD at T, $\mu \neq 0$ : more than just a CEP

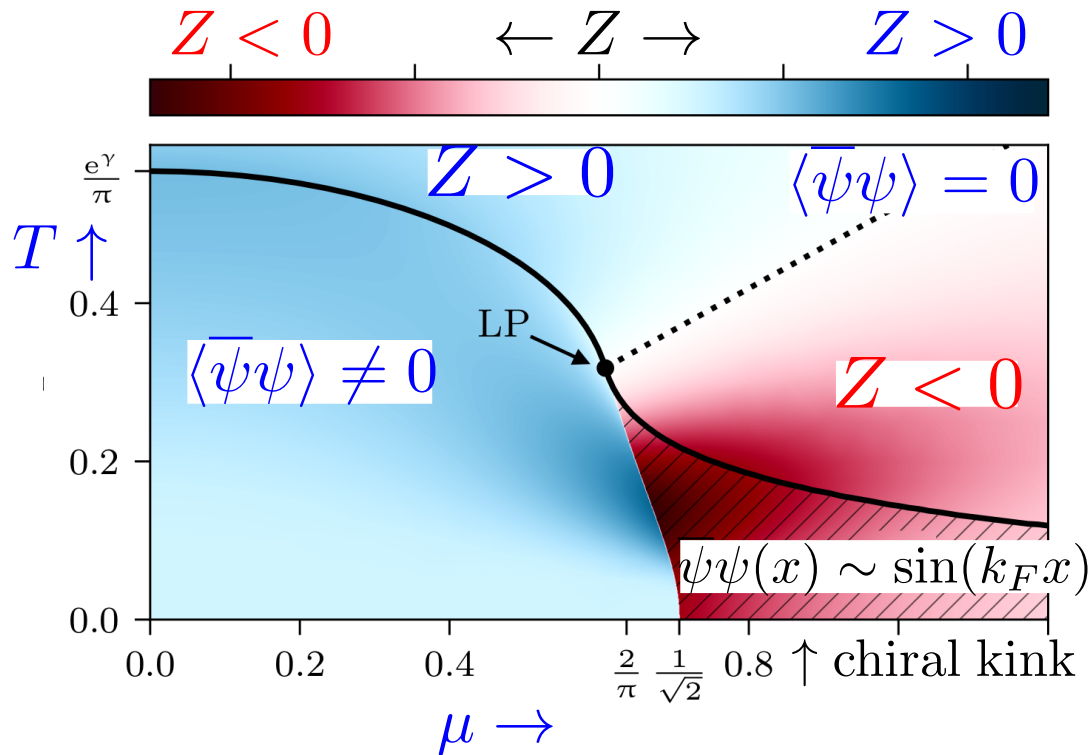
In eff. Lag for  $\sigma, \pi$ : critical end point (CEP),  $\lambda = 0$

Can also have “moat” regime,  $Z < 0$

Koenigstein et al, 2112.07024: in soluble model in

1+1 dim.'s, CEP and *big moat regime*

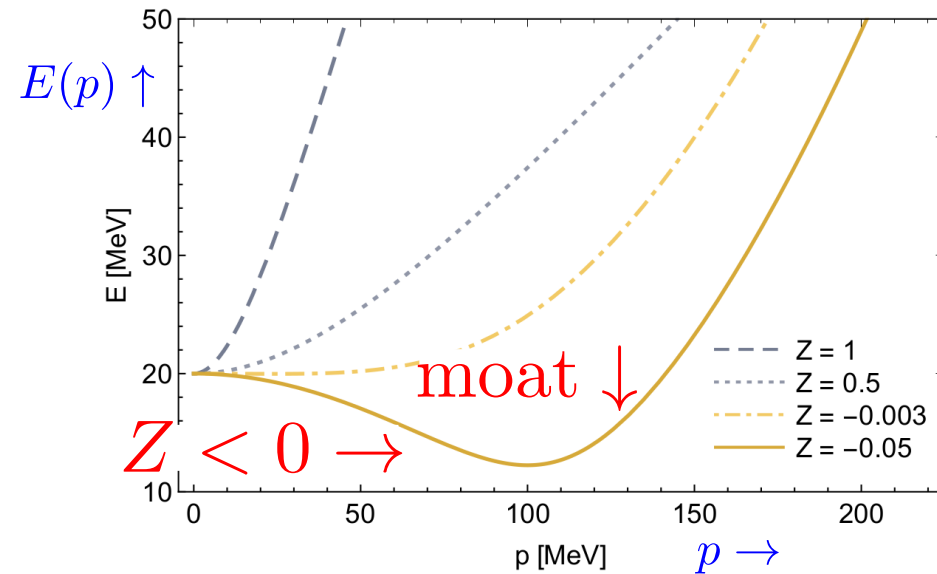
(region in red)



$$\mathcal{L}_{\text{eff}} = Z(\partial_i \vec{\phi})^2 + m^2 \vec{\phi}^2 + \lambda(\vec{\phi}^2)^2 + \dots$$

In moat regime, the energy of a pion is minimal at *non-zero* momentum.

Can lead to chiral kinks (left fig.),  $\lambda$  and chiral spirals ( $\sigma, \pi$ )



## Finding a moat (spectrum) in experiment

In moat regime, *natural* to generate pion/kaon & quarkyonic condensates: RDP+..., 1801.08156  
Pions probably form Quantum Pion Liquid: RDP+..., 2005.10259; RDP, 2202.01086  
Related to “PT” symmetry @ nonzero  $\mu$ : Schindler+... 2110.14009

Moat regimes occur over a *much* larger region, in  $\mu$  and  $T$ , than the basin of attraction to a CEP

Because the sigma is *really* heavy in vacuum, and *mas*

Moat regime gives non-thermal behavior:

usual Bose-Einstein with unusual dispersion relation

Also, characteristic two particle correlations:

$N(p)$  = # pions at some momentum  $p$

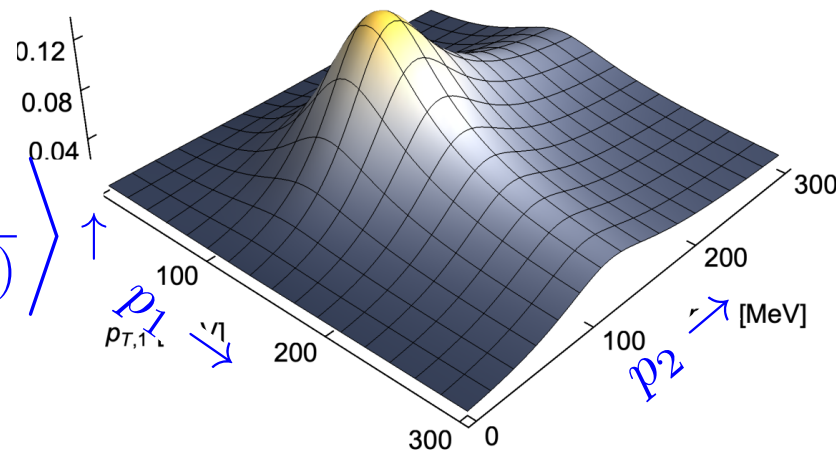
RDP & Rennecke, 2103.06890

Without moat, this is *very* flat.

With moat, *big* peak at  $p \neq 0$

Will also affect HBT.

$$\left\langle \frac{N(p_1, p_2)}{N(p_1)N(p_2)} \right\rangle$$



QCD at low  $T$ , moderate  $\mu$  is *quarkyonic*: excitations near Fermi surface are confined

Produces distinctive signals: Glozman+..., 2204.05083

*Especially* interesting is the  $\omega$  meson: Sasaki, 2207.00274: most sensitive to baryons

(*Very*) close to a CEP is “universal”, but *non-universal* phenomena *may* dominate for most  $T$  &  $\mu$