Probing SRCs with high-energy photonuclear reactions at GlueX

Jackson Pybus











Plane-wave SRC breakup relies on two factorization scales



 $N' \qquad \sigma_{SRC} \sim K \cdot \sigma_{eN} \cdot S(p_i, p_{spec})$ $S \sim C_{NN} \cdot |\phi(k_{rel})|^2 \cdot n(p_{CM})$







Plane-wave SRC breakup relies on two factorization scales



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Meson photoproduction

- Often a tool for hadron spectroscopy; can also be used as a probe of high-resolution nuclear structure
- Exclusive 2-body process:

•
$$\gamma + N \rightarrow m + B$$

- Can occur through *s*, *t*, *u*-channel exchanges
- Cross section weighted by constituent counting rules: $\frac{d\sigma}{dt}|_{\theta=90^{\circ}} \propto s^{-7}$





Electron-scattering reaction mechanisms complicate interpretation of data







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Photoproduction reaction mechanisms differ significantly from electron-scattering

- No substantial radiative effects
- Kinematics prefer parallel kinematics, not antiparallel
 - Different effects of final-state interactions
- Different sensitivity to meson-exchange currents
- Less inelastic background
- Can give access to neutrons through charge-exchange channels









NIMA 987, 164807 (2021)

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- Photon emitted via coherent bremsstrahlung; scattered electron tagged



-DIRC





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- Final-state particles detected in largeacceptance GlueX detector





GlueX Spectrometer





- Large-acceptance detector
- Solenoidal magnet:
 - Good p_T resolution
 - Poor p_{z} resolution
- Time-of-flight allows particle identification for forward-going charged particles
- Calorimeters allows good acceptance and reconstruction of final-state photons



Fall 2021 Data

Target	Days of Beam	Luminosity (E _Y > 6 GeV)
Deuterium	4	18.0 nucleus · pb-1
Helium-4	10	16.7 nucleus · pb-1
Carbon-12	14	8.6 nucleus · pb-1



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SRC studies using exclusive $A(\gamma, \rho^- pp)$ production



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- Measure exclusive SRC breakup, with final-state $(\pi^{-}\pi^{0}pp)$
- Distinctive topology and exclusive detection helps to reduce background
- We require:
 - PWIA predictions
 - Clean SRC breakup data





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Plane-wave SRC Cross Section



$\sigma_{SRC} \sim K \cdot \sigma(\gamma n \to \rho^- p) \cdot S(p_i, p_{spec})$

- We require a single-body operator to input to our plane-wave model
- Deuterium data allows us to extract the shape of this cross section for quasi-free neutrons



 Detect photon showers in calorimeters, charged particles in drift chambers





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Measuring $\gamma n \rightarrow \rho^- p$ from deuterium

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- Detect photon showers in calorimeters, charged particles in drift chambers
- In quasi-free case, spectator proton is low momentum, but missing mass can be restricted
- Invariant mass of 2-pion system used to determine ρ^- yields
- Comparison to phase-space generator allows extraction of cross section shape





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Detector resolution limits missing momentum reconstruction



NIMA 987, 164807 (2021)



Analysis on the light-front

Parton in Hadron



Parton momentum fraction $x_B = \frac{Q^2}{2p_N \cdot q} \rightarrow \frac{E_q - p_q^z}{E_N - p_N^z}$

Nucleon in Nucleus



Nucleon momentum fraction

$$\alpha_N \equiv A \frac{E_N - p_I^2}{E_A - p_A^2}$$



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Light-front variables mitigate resolution effects

> Low-momentum nucleon $\alpha_N \sim 1$



Standing nucleon pair $\alpha_1 + \alpha_2 \equiv \alpha_{CM} \sim 2$



Exclusive deuteron breakup clear in data



Pair breakup





Exclusive deuteron breakup clear in data



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Diffractive pion production kinematics





Combining these identifiers helps us to isolate exclusive deuterium events for $(\gamma d \rightarrow \pi^{-} \pi^{0} pp)$





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SRC events more spread out but still clear in data





• Diffractive background cut





- Diffractive background cut
- High relative momentum cut





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- Cut on rho meson mass







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- High momentum-transfer $|t|, |u| > 1 \text{ GeV}^2$





- Diffractive background cut
- High relative momentum cut
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- High momentum-transfer $|t|, |u| > 1 \text{ GeV}^2$
- Compare with GCF calculations









- Reconstruct angle between initial-state neutron and spectator proton
- All nuclei show clear back-to-back correlation



SRC Center-of-Mass Momentum



- Transverse component of center-of-mass momentum used to limit FSI and cross section effects
- General trend with A agrees with current measurements, but precise value needs to be extracted and compared





Initial Neutron Momentum (Proxy)



- Initial neutron momentum sensitive to short-distance NN interaction
- Momentum distributions well-described
- Agreement with AV18 predictions similar to that for electron-scattering data







Initial Neutron Momentum (Proxy)



- Spectator momentum also wellreconstructed but shows possible signs of rescattering
- Calculation of FSI using cascade models can help identify regions of large FSI







Outlook

- wave predictions
 - effects, impact of |t| and |u| cuts
- Complementary ($\rho^0 pp$) channel allows access to pp pairs, enabling confirmation of isospin structure of SRCs
- modification

• Further study of systematics necessary to complete comparison to plane-

Sensitivity to photoproduction cross section, understanding of FSI

Other ongoing projects: color transparency, neutron structure, medium



Access to in-medium modification of photoproduction matrix elements

 Proton can be described as superposition of QCD Fock states:

 $|\text{proton}\rangle = \alpha_{PLC} |PLC\rangle + \alpha_{3qg} |3qg\rangle + \alpha_{3qq\bar{q}} |3qq\bar{q}\rangle + \dots$





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Conclusions

 New high-energy photonuclear data provides independent measure of nuclear SRC properties





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- SRC breakup events positively identified in data





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- New high-energy photonuclear data provides independent measure of nuclear SRC properties
- SRC breakup events positively identified in data
- SRC properties so far consistent with electron-scattering results and theory calculations, but systematics need to be considered





Backup



"Internal" missing momentum k_{miss}

$$k = \sqrt{\frac{m^2 + k_\perp^2}{\alpha(2 - \alpha)}} - m$$

the NN interaction between the nucleons

"Internal" momentum defined in Frankfurt & Strikman 1981 Phys Rep.

 $\alpha^{2} = 1 + k_{3} / \sqrt{m^{2} + k^{2}}$.

In the light-front deuteron model this variable controls the magnitude of



"Internal" missing momentum k_{miss}

 Internal momentum can be calculated assuming a standing pair approximation, defining :

$$k_{miss} = m_N \sqrt{\frac{m_N^2 + p_{miss,\perp}^2}{p_{miss}^- (2m_N - p_{miss}^-)} - 1}$$

the GlueX detector

• This variable can be calculated using only quantities well-measured in





SRC center-of-mass motion consistent between probes

CM momentum width extracted from electron-scattering data



PRL 121, 092501 (2018)











Neutron initial momentum sensitive to NN interaction



Nature 578, 540 (2020)





Missing and Recoil Lightcone Fraction

- Distortion possible indication of incorrect γN cross section modeling
 - Strong cross section energy-dependence has large impact on α distributions
- FSI should also be considered as possible cause of distortion

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