

Isosinglet vectorlike leptons at e^+e^- colliders

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Based on work with Stephen P. Martin and Aaron Pierce
[arXiv:hep-ph/2308.08386](https://arxiv.org/abs/2308.08386)

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- Lepton colliders: precision studies and indirect searches

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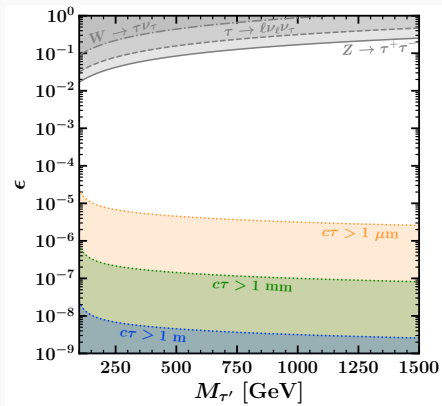
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Motivations:

- Many BSM theories require vectorlike leptons
- New fermions must be necessarily vectorlike
- Decouple from flavor and EW precision data with higher masses
- Automatically anomaly-free (unlike chiral fermions)

Assume mass mixing of τ' and τ :

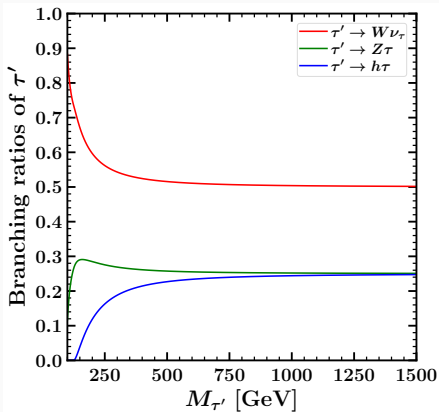
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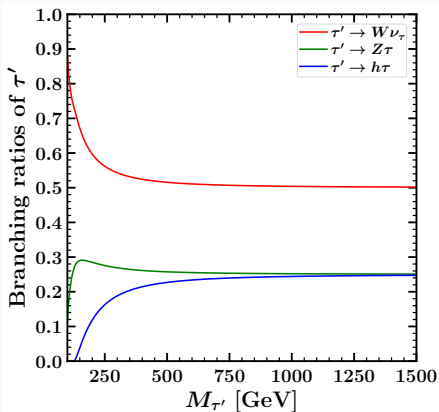
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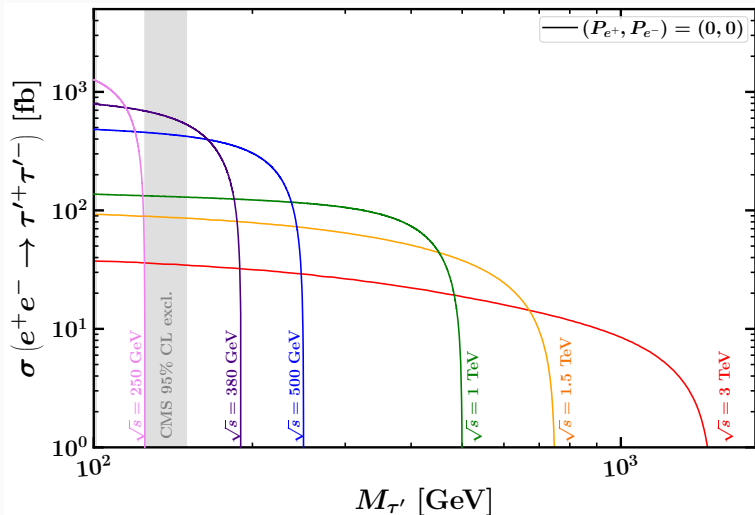
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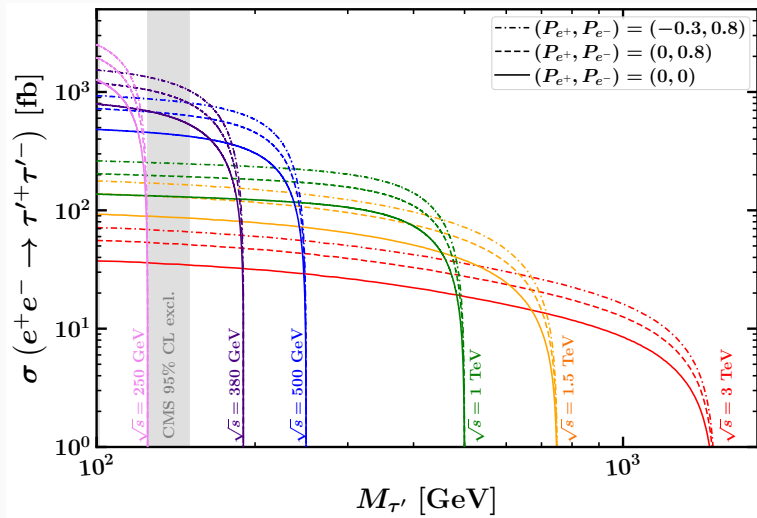


Limited reach for τ' at

- LHC [N. Kumar, S. P. Martin 1510.03456]
- Future pp colliders [PNB, S. P. Martin 1905.00498]



- Pair-production mode: $e^+e^- \rightarrow \gamma^*, Z^* \rightarrow \tau'^+\tau'^-$
- Current 95% CL exclusion: $125 \text{ GeV} < M_{\tau'} < 150 \text{ GeV}$ [CMS 2202.08676]



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- $(P_{e^+}, P_{e^-}) = (-0.3, 0.8)$ and $(0, 0.8)$ maximize σ for ILC and CLIC

Signal components: $e^+e^- \rightarrow \tau'^+\tau'^- \rightarrow ZZ\tau^+\tau^-, \quad hh\tau^+\tau^-, \quad Zh\tau^+\tau^-$
 $ZW^\pm\tau^\mp + \cancel{E}, \quad hW^\pm\tau^\mp + \cancel{E},$
 $W^\pm W^\mp + \cancel{E}$ (largest!)

Backgrounds: $t\bar{t}, t\bar{t}Z, t\bar{t}h, Zh, Zhh, ZZh, ZZZ, W^+W^-h, W^+W^-Z,$ and $W^+W^-\nu\bar{\nu}$ with $\nu\bar{\nu} \notin Z$

Signal regions: 15 different signal regions targeting various final states with

$$\begin{aligned} N_\ell + N_j + N_b &= 4 \\ N_\tau &= 1 \text{ or } 2 \end{aligned}$$

Reconstruct Z from $\ell^+\ell^-/jj$, h from bb , and also W from jj if $N_\tau = 1$

E.g.,

- $4\ell + 2\tau$
- $2j + 2b + 2\tau$
- $4b + 2\tau$
- $4j + 1\tau$
- $2j + 2b + 1\tau$
- $3j + 1b + 2\tau$ (& $Z/h/W$ from jb)

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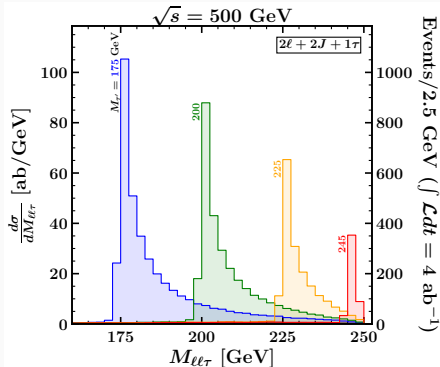
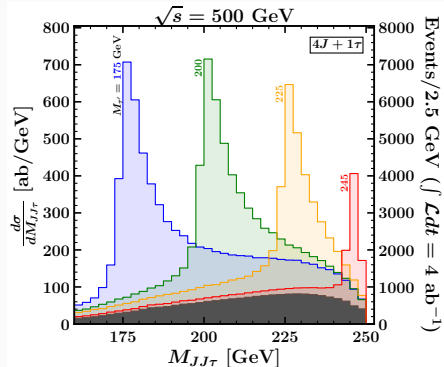
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- $4\ell + 2\tau \rightarrow ZZ\tau\tau$
- $4j + 1\tau \rightarrow ZW\tau\nu_\tau$
- $2j + 2b + 2\tau \rightarrow Zh\tau\tau$
- $2j + 2b + 1\tau \rightarrow hW\tau\nu_\tau$
- $4b + 2\tau \rightarrow hh\tau\tau$
- $3j + 1b + 2\tau \rightarrow ZZ\tau\tau, Zh\tau\tau$

Mass peaks: Consider a 500 GeV e^+e^- collider with unpolarized beams

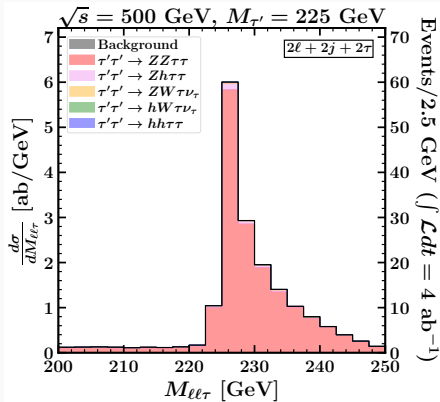
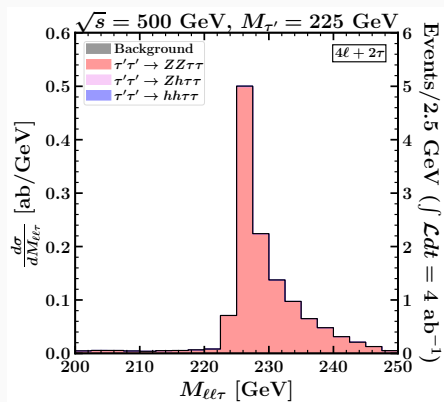
Mass peaks: Consider a 500 GeV e^+e^- collider with unpolarized beams



- Events generated at LO while accounting for ISR + beamstrahlung
- Using *collinear approximation* to account for τ -decays
- Since $\text{BR}(\tau' \rightarrow W\nu_{\tau'})$ is the largest, we have best statistics in these SRs
- Backgrounds are (non-)negligible (but still clearly under control)

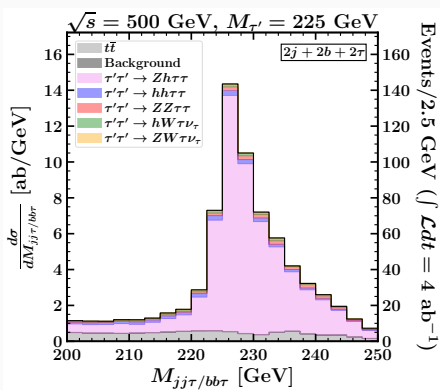
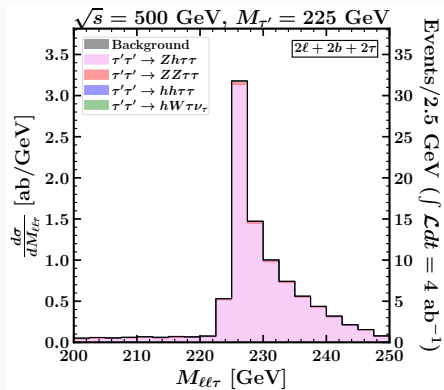
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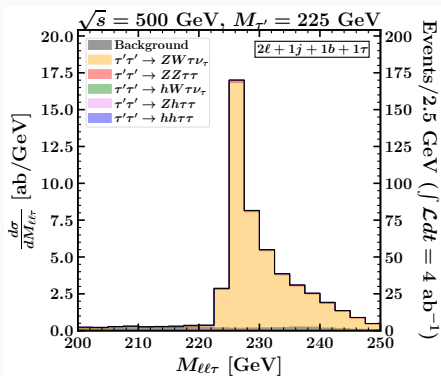
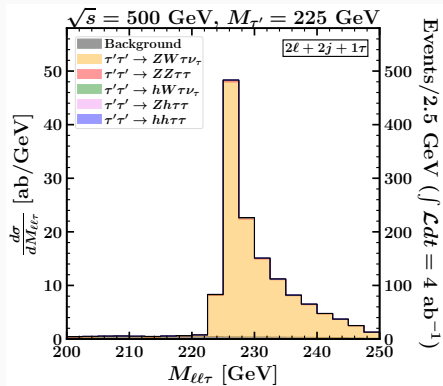
- $4\ell + 2\tau$ and $2\ell + 2j + 2\tau$ SRs provide a pure sample of $ZZ\tau\tau$ final state

Similarly,



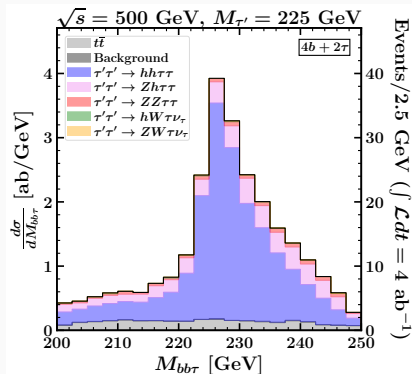
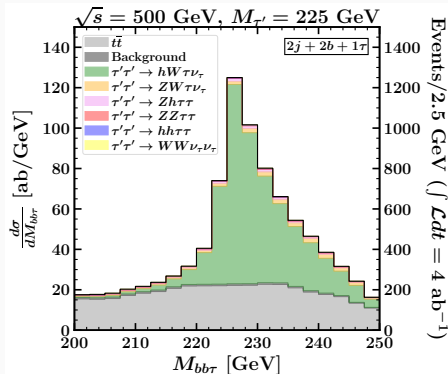
- $2\ell + 2b + 2\tau$ and $2j + 2b + 2\tau$ SRs provide a pure sample of $Zh\tau\tau$ final state

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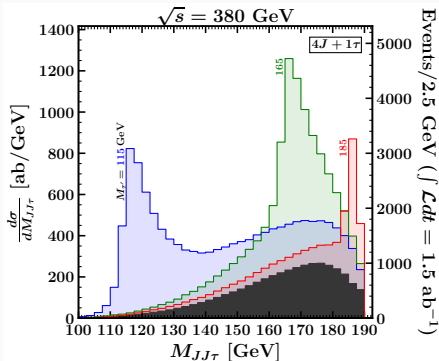
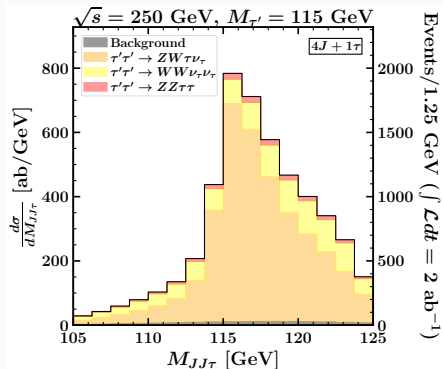
- $2\ell + 2j + 1\tau$ and $2j + 1j + 1b + 1\tau$ SRs provide a pure sample of $ZW\tau\nu$ final state

Similarly,



- 2j + 2b + 1τ (4b + 2τ) SR provides a (relatively) pure sample of $hW\tau\nu$ ($hh\tau\tau$) final state

Both Higgs and top factories can also act as discovery machines ...



- For $M_{\tau'} < M_h + M_{\tau}$, since $\tau' \rightarrow h\tau$ is not accessible, we also reconstruct Z from bb

Conclusions:

- Considered an example of weak isosinglet vectorlike leptons that are well-motivated
- Demonstrated that its mass peaks can be reconstructed in various signal regions up to close to the kinematic limit
- Heights of the mass peaks in various signal regions can in turn give a handle on the branching ratios

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e^+e^- collider may act as a discovery machine for particles with only electroweak interactions that have limited reach at a hadron collider!

Partonic pair-production cross-section $\hat{\sigma}(e^+e^- \rightarrow \tau'^+\tau'^-)$:

$$\hat{\sigma} = \frac{2\pi\alpha^2}{3}(\hat{s} + 2M_{\tau'}^2) \sqrt{1 - 4M_{\tau'}^2/\hat{s}} \left[|a_L|^2(1 - P_{e^-})(1 + P_{e^+}) + |a_R|^2(1 + P_{e^-})(1 - P_{e^+}) \right],$$

where the left-handed and right-handed amplitude coefficients are

$$a_L = \frac{1}{\hat{s}} + \frac{1}{c_W^2}(s_W^2 - 1/2) \frac{1}{\hat{s} - M_Z^2},$$
$$a_R = \frac{1}{\hat{s}} + \frac{s_W^2}{c_W^2} \frac{1}{\hat{s} - M_Z^2}.$$

- $P = 1$ and -1 corresponding to pure right-handed and left-handed polarizations
- Since $|a_L| < |a_R|$ for $\sqrt{\hat{s}} > 93$ GeV, we see that the production cross-section is maximized when P_{e^-} is positive (and, if available, when P_{e^+} is negative)

Peak reconstruction:

- Find all the possible (tau, boson) pairings:

$$\tau'_1 \supset (\tau_1, \nu_1, B_\alpha) \text{ and } \tau'_2 \supset \begin{cases} (\tau_2, \nu_2, B_\beta) \text{ in SRs with exactly } 2\tau \\ (\nu_2, W_\beta) \text{ in SRs with exactly } 1\tau \end{cases}$$

and use **collinear approximation** for ν_1 from τ_1 decay:

$$E_{\nu_1} = |\vec{p}_{\nu_1}|, \quad \vec{p}_{\nu_1} = (r-1)\vec{p}_{\tau_1},$$

and obtain the four-momentum of the other neutrino using:

$$E_{\nu_2} = \not{E}' - E_{\nu_1}, \quad \vec{p}_{\nu_2} = \frac{E_{\nu_2}}{|\vec{p}' - \vec{p}_{\nu_1}|} (\vec{p}' - \vec{p}_{\nu_1}),$$

such that both ν_1 and ν_2 are on-shell.

- For each pairing, solve for r from:

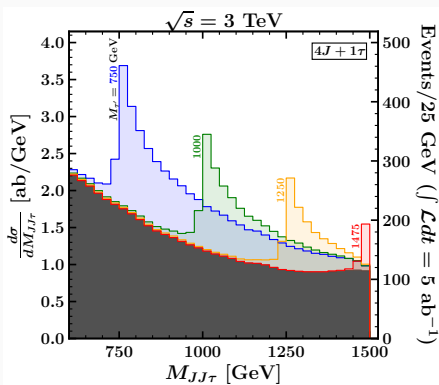
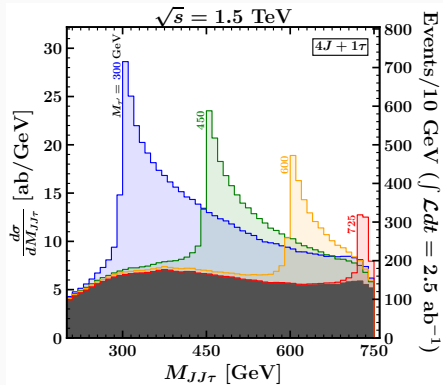
$$p_{\tau'_1}^2 = p_{\tau'_2}^2$$

and impose $E_{\nu_1} \geq 0$ and $E_{\nu_2} \geq 0$

- If multiple pairings survive, pick a pairing that minimizes $|\vec{p}_{\text{total}}|$ and

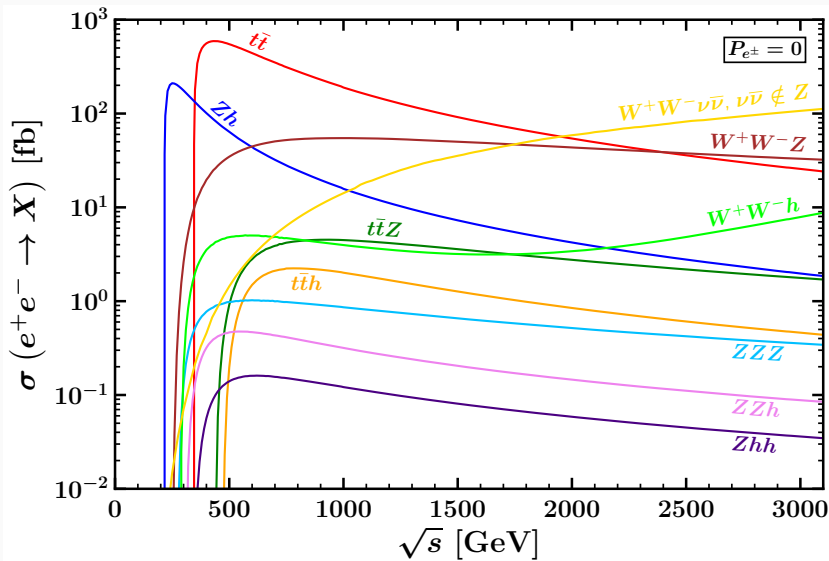
$$M_{\tau'}^{\text{reco}} = \sqrt{p_{\tau'_1}^2}$$

At $\sqrt{s} = 1.5$ and 3 TeV:

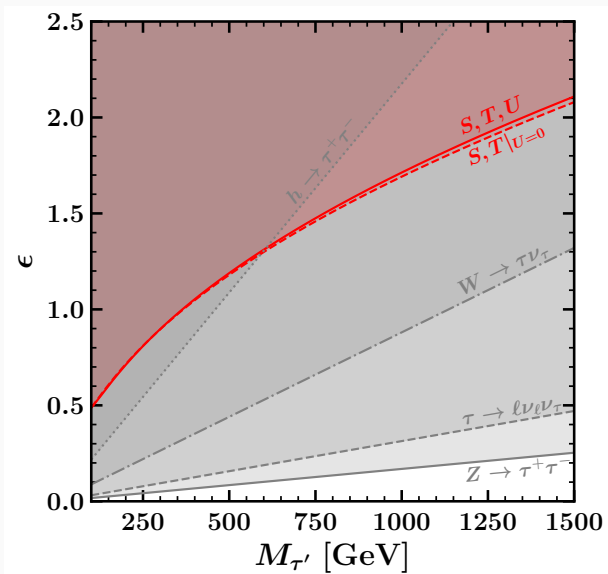


- Since the production cross section falls with \sqrt{s} , a lack of adequate statistics can be an issue in some signal regions
- Backgrounds can be more significant, but with a smooth mass distribution that should be under good theoretical control

SM backgrounds:



Precision electroweak:



If τ' is stable over detector lengths, then it can be inferred that $M_{\tau'} \gtrsim 750$ GeV based on the $-dE/dx$ and time of flight measurements in searches for long lived charginos at the LHC

