

FROM OBSERVABLE TO EFT:

a Case Study of a TGC Measurement
with Machine Learning 

Lingfeng Li

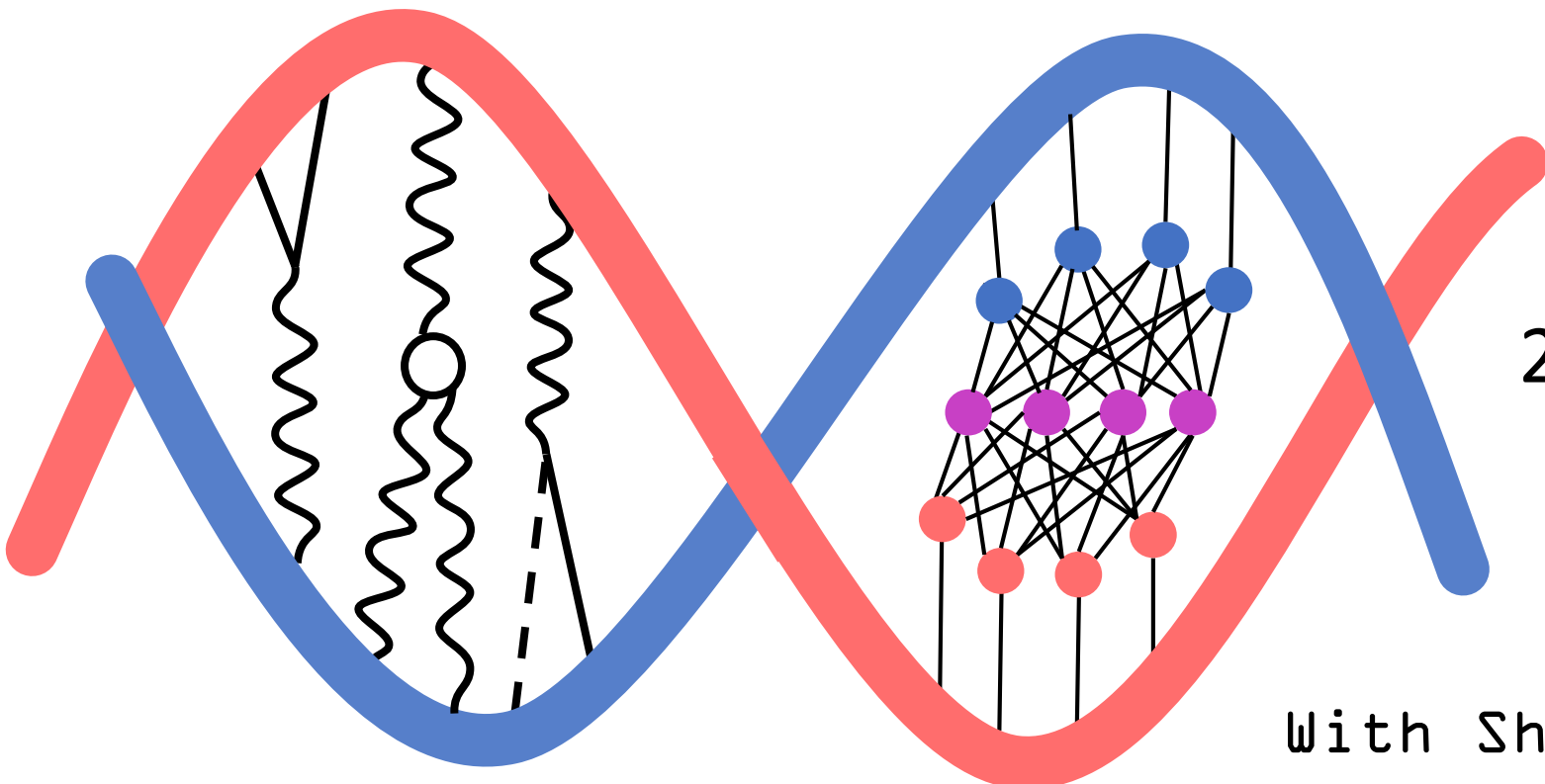
Brown. University

2nd US FCC workshop, MIT

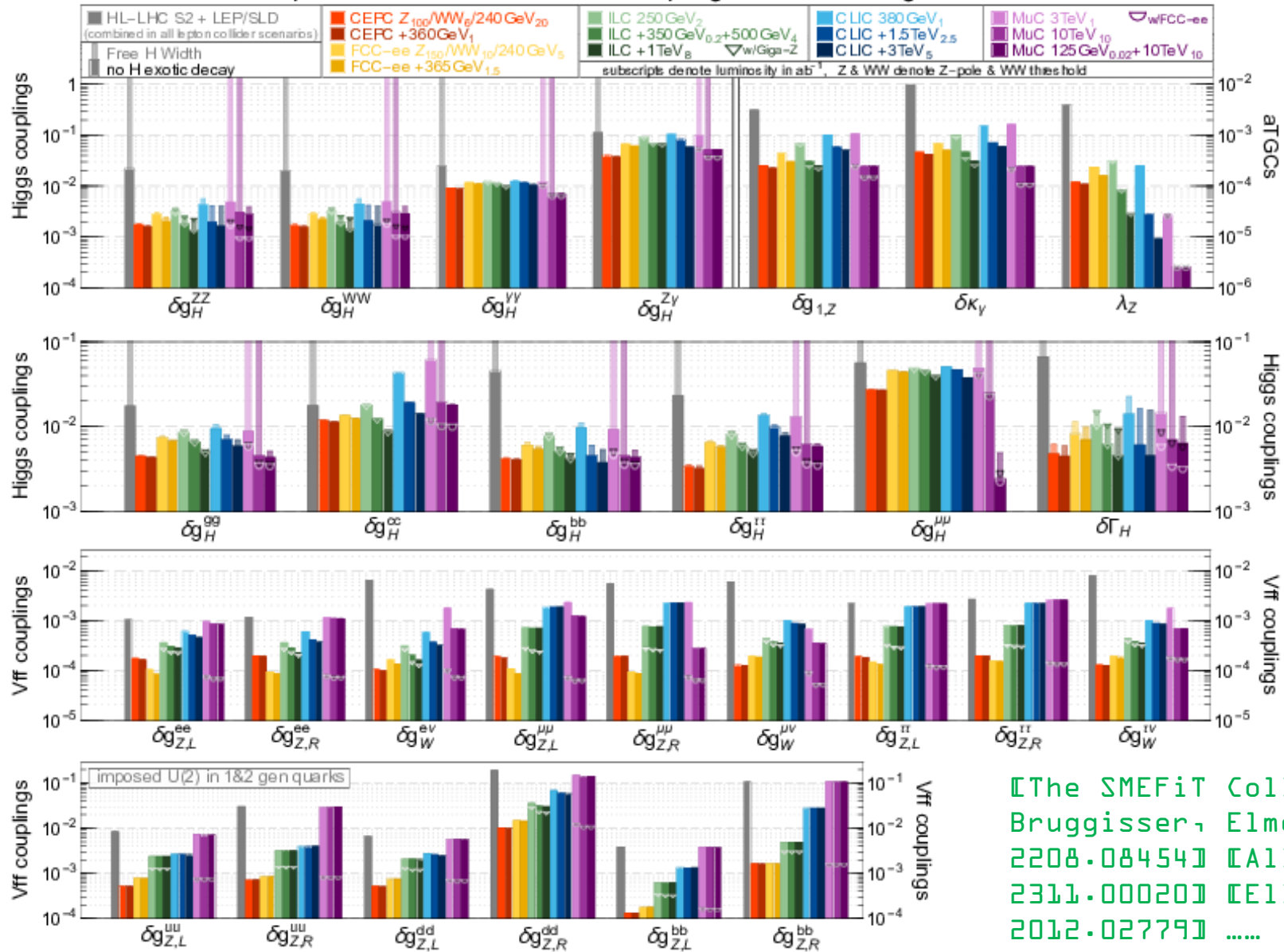
Mar. 26, 2024

arXiv:2401.02474

With Shengdu Chai and Jiayin Gu



precision reach on effective couplings from SMEFT global fit



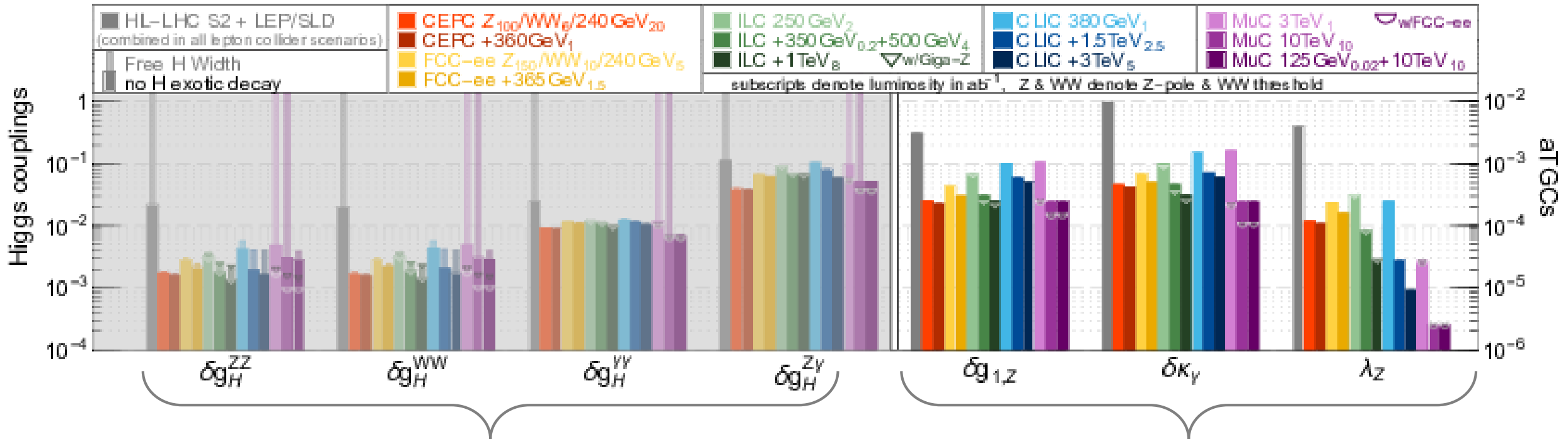
de Blas, Du, Grojean, Gu, Miralles, Peskin, Tian, Vos, Vryonidou, 2206.08326

Precision measurement of the SM is (one of) the main goal of FCC-ee

Efforts in FCC SMEFT fits:

[The SMEFiT Collaboration 2105.00006] [Brivio, Bruggisser, Elmer, Geoffray, Luchmann, Plehn, 2208.08454] [Allwicher, Cornella, Isidori, Stefanek, 2311.00020] [Ellis, Madigan, Mimasu, Sanz, You, 2012.02779]

“PROMISED” PRECISION OF ATGC

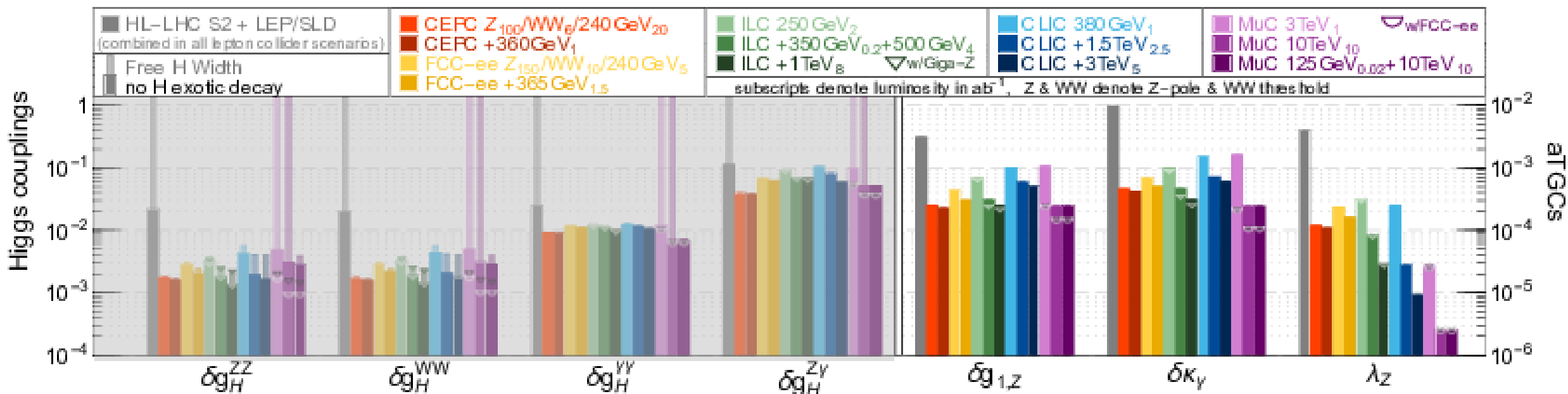


Higgs measurements. High precision mainly from Higgs BR

Anomalous Triple Gauge Couplings. From differential measurements of diboson events

Issue raised in the ECFA report
 J. Maestre et al., 2401.07564

“PROMISED” PRECISION OF ATGC



High Ecm advantageous, Higgs factory mode instead of WW mode

$$\mathcal{L}_{\text{TGC}} = ie(W_{\mu\nu}^+ W^{-\mu} - W_{\mu\nu}^- W^{+\mu})A^\nu + ie(1 + \delta\kappa_\gamma)A^{\mu\nu}W_\mu^+ W_\nu^-$$

$$+ igc_w \left[(1 + \delta g_{1Z})(W_{\mu\nu}^+ W^{-\mu} - W_{\mu\nu}^- W^{+\mu})Z^\nu + (1 + \delta g_{1Z} - \frac{s_w^2}{c_w^2} \delta\kappa_\gamma) Z^{\mu\nu}W_\mu^+ W_\nu^- \right]$$

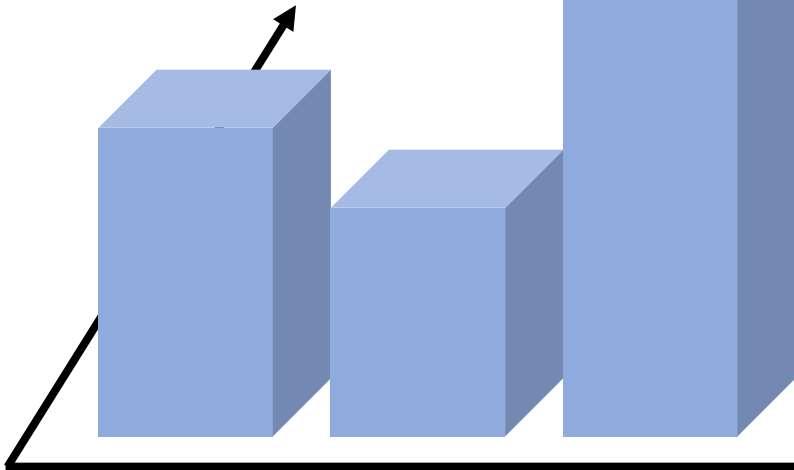
$$+ \frac{ig\lambda_Z}{m_W^2} (s_w W_\mu^{+\nu} W_\nu^{-\rho} A_\rho^\mu + c_w W_\mu^{+\nu} W_\nu^{-\rho} Z_\rho^\mu),$$

Similar stories in $|V_{cb}|$ from W decays [In prep.]

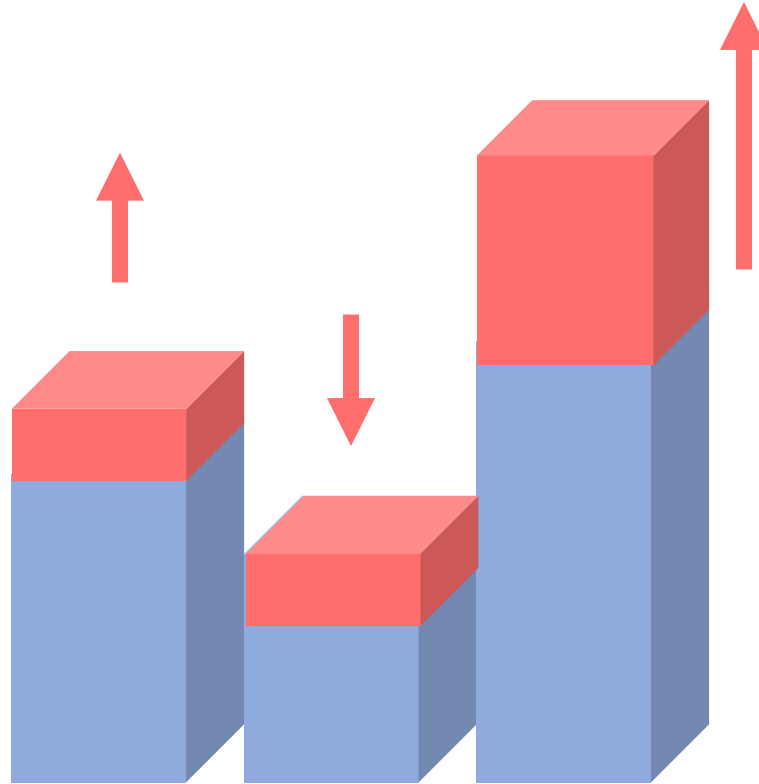
DIFFERENTIAL MEASUREMENT

Cut SR into several bins

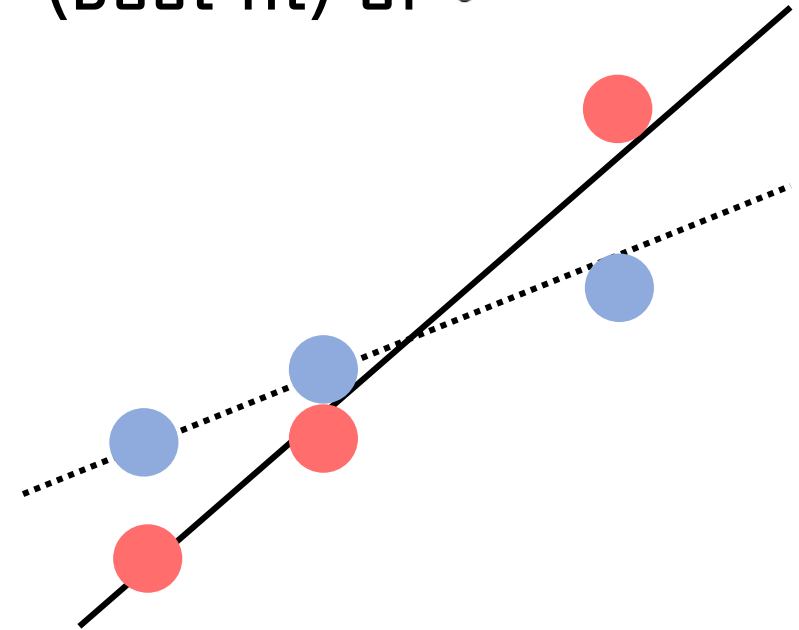
Observable 2



Counts change with theory parameter θ

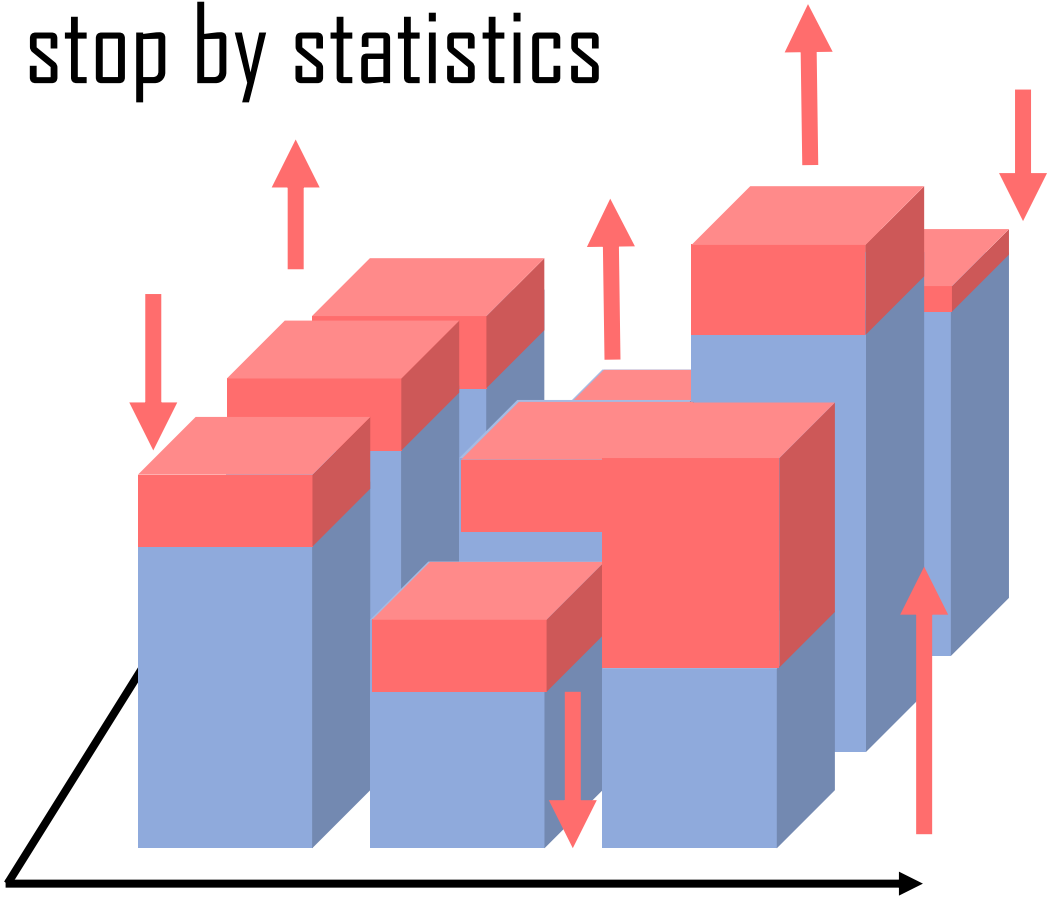


Find the max likelihood (best fit) of θ

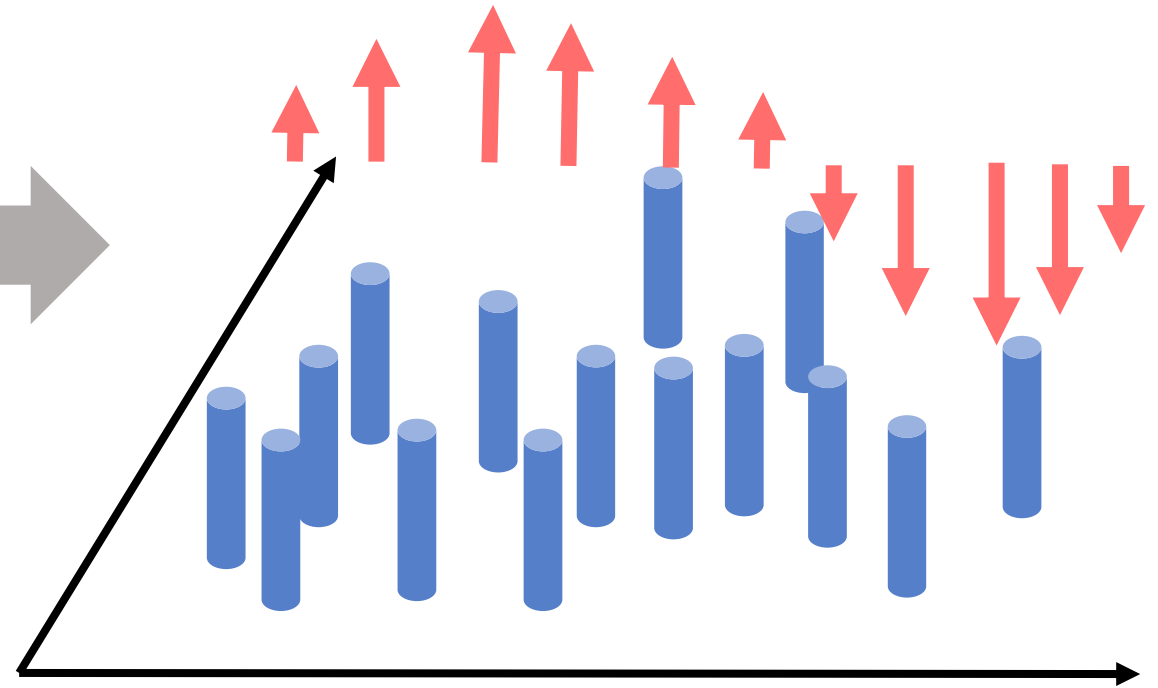
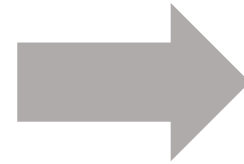


FROM BINS TO OPTIMAL OBSERVABLES

Define more and more bins,
stop by statistics



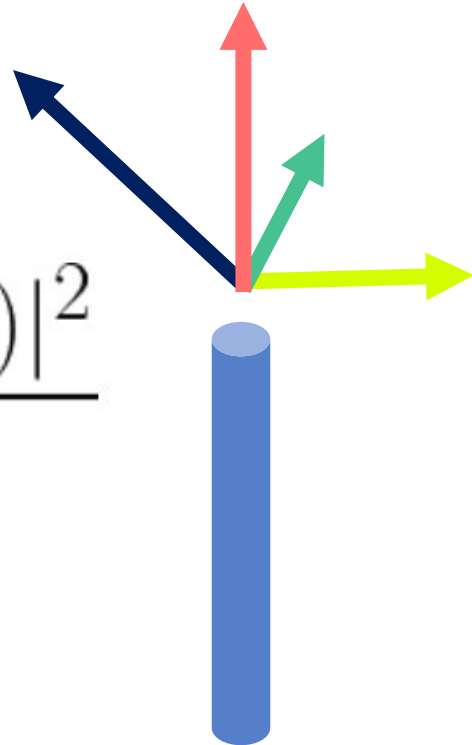
Dependence of each event by
differentiating amplitudes



FROM BINS TO OPTIMAL OBSERVABLES

Promote the dependence into event-by-event vectors

$$\vec{\alpha}_i(\mathbf{x}) \propto \frac{\partial |\mathcal{A}(\mathbf{x})|^2}{\partial \theta_i}$$



Can be achieved during MC:

J. Brehmer, F. Kling, I. Espejo, K. Cranmer, 1907.10621

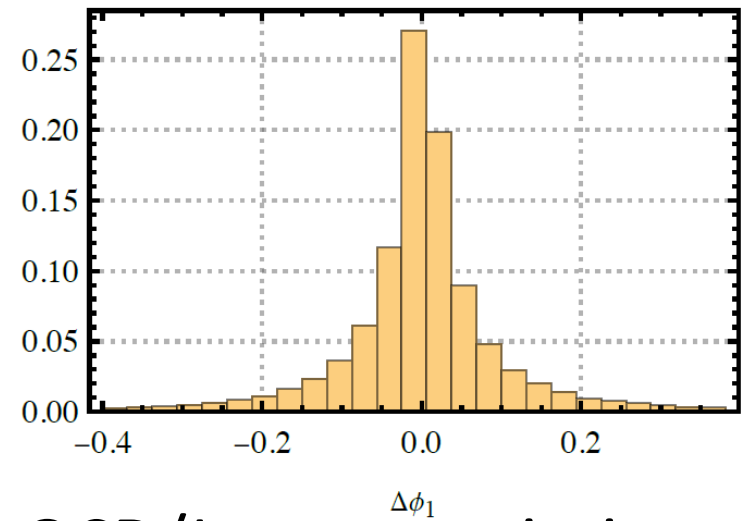
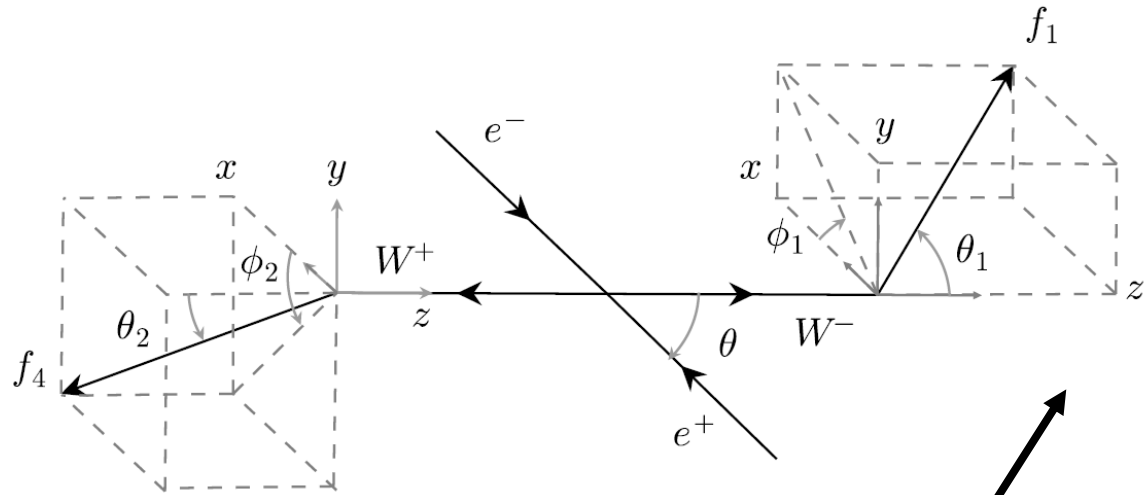
The Optimal Observable (OO)

M. Diehl and O. Nachtmann,
Z.Phys.C 62 (1994) 397-412

Expectation & limits on θ are extracted from the likelihood

$$\mathcal{L} \propto \sum_{i \in \text{events}} (1 + \vec{\alpha}_i \cdot \vec{\theta})$$

SYSTEMATIC EFFECTS



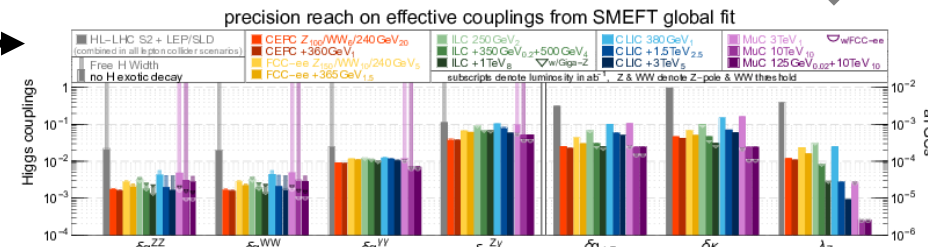
- ❖ QCD/Jet uncertainties
- ❖ Neutrino info only inferred (non-linear)
- ❖ Beam ISR
- ❖ Detector resolution

Leading channel: WW semileptonic decays

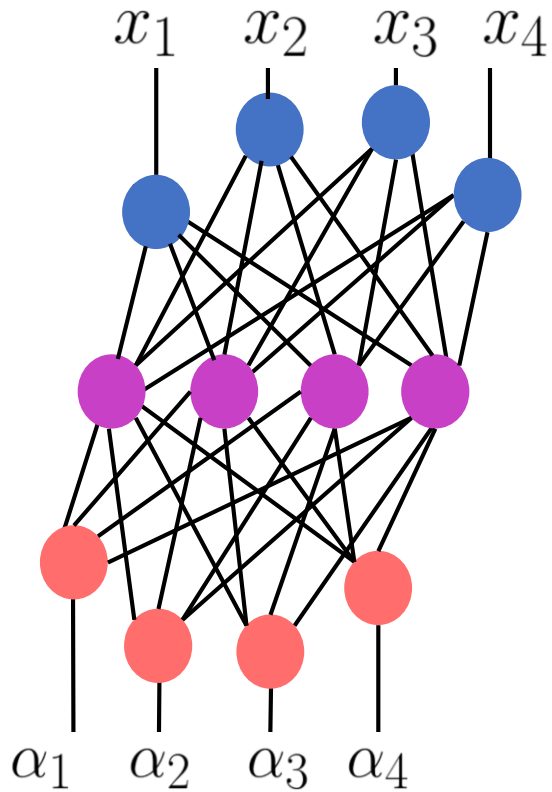
- ✓ Discernable W bosons
- ✓ Large BR (~50%)
- ✓ Good reconstruction efficiency

Systematics drifts

Not yet included in projections



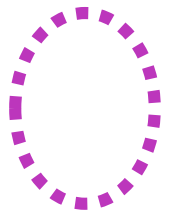
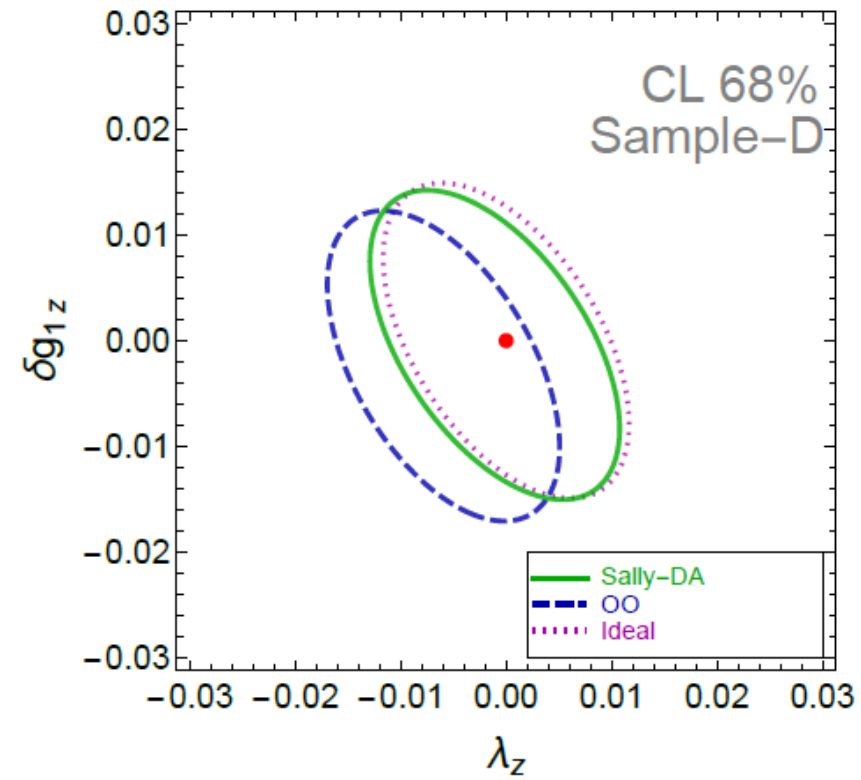
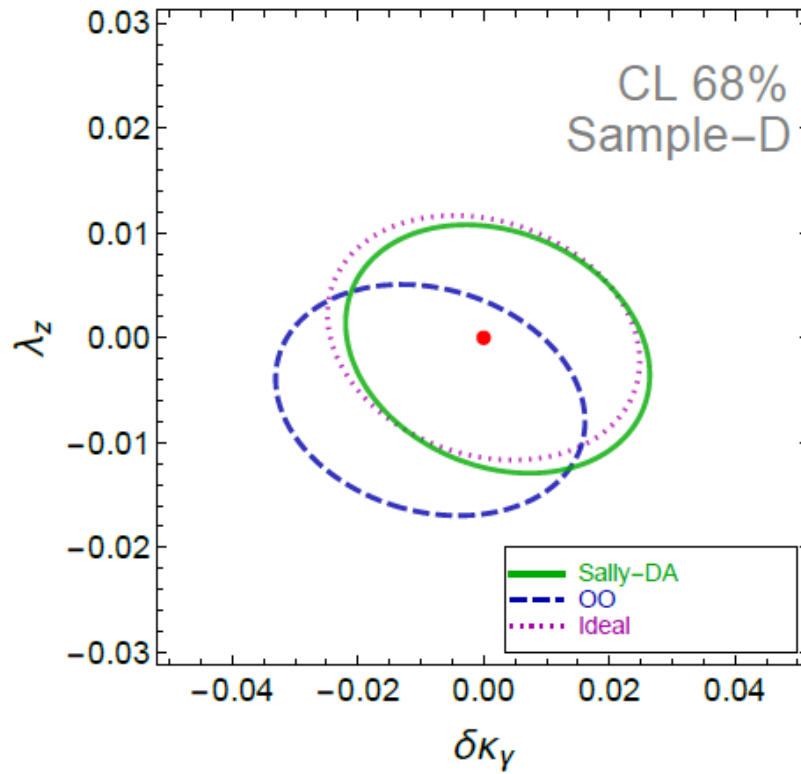
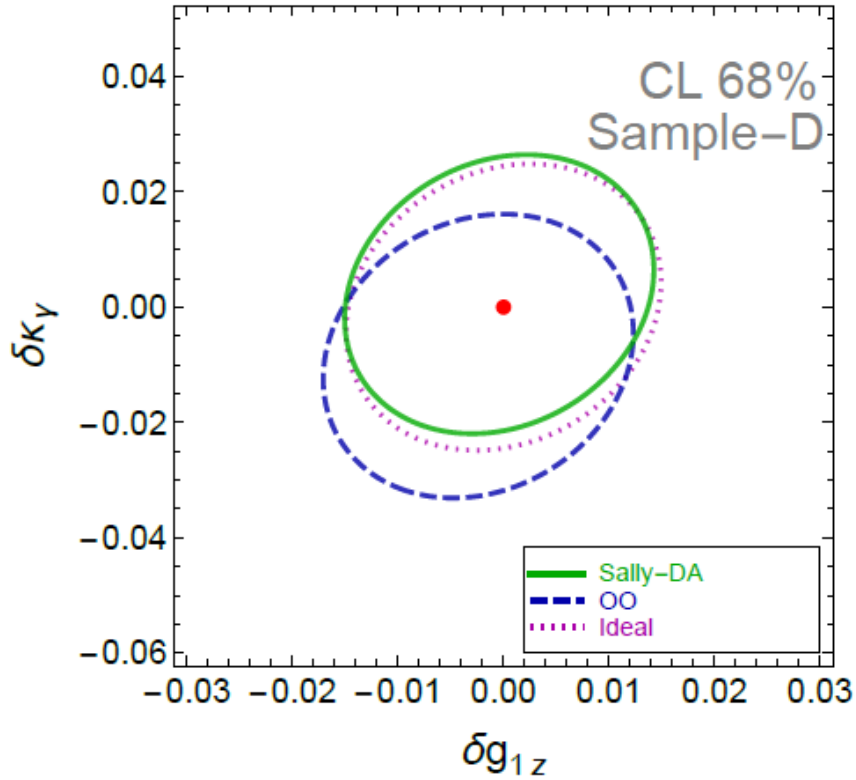
INFERENCE FROM NEURON NETWORKS



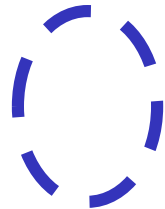
- ❑ Only basic network structure and inputs
- ❑ Fully connected (vanilla) network, 9 layers with 200 nodes each
- ❑ Inputs: clustered jet momenta, lepton momentum and a few derived values
- ❑ 21 input dimensions
- ❑ 1/10 events are 4 fermion background (semileptonic ZZ events with unidentified lepton)

Learnt post-parton
stages

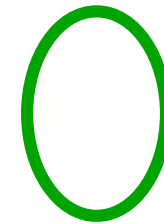
AGAINST ISR & FINITE RESOLUTION



The ideal case, or OO
at the truth level
Maximal information use

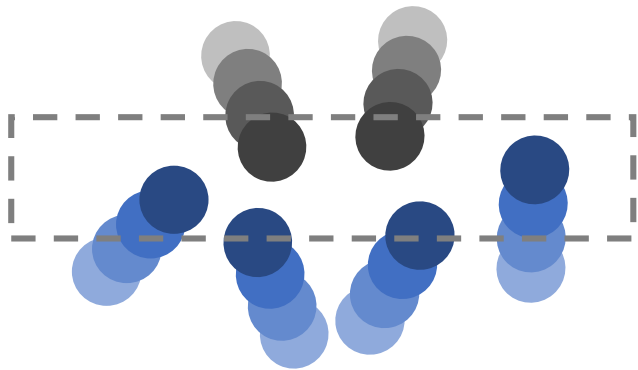
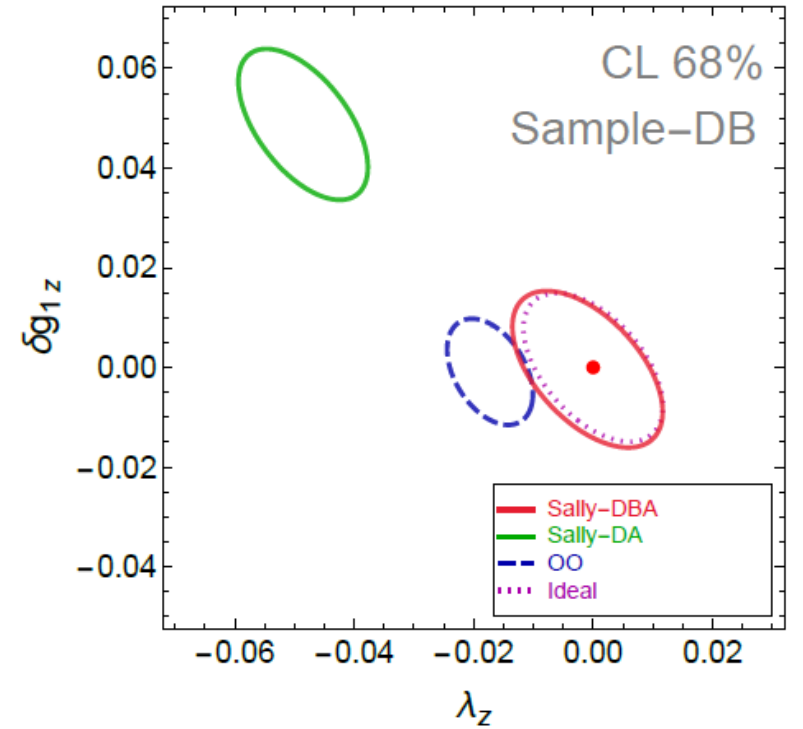
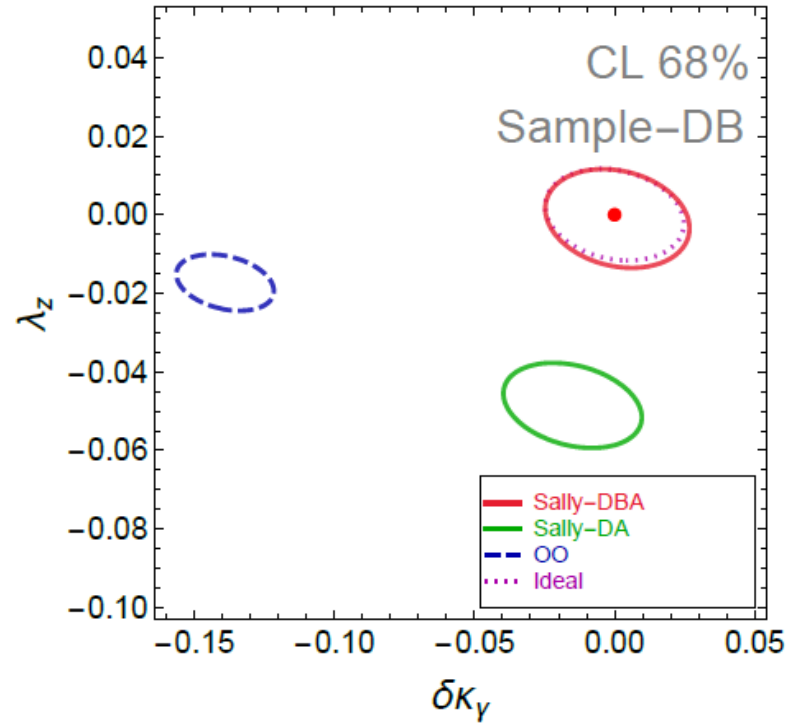
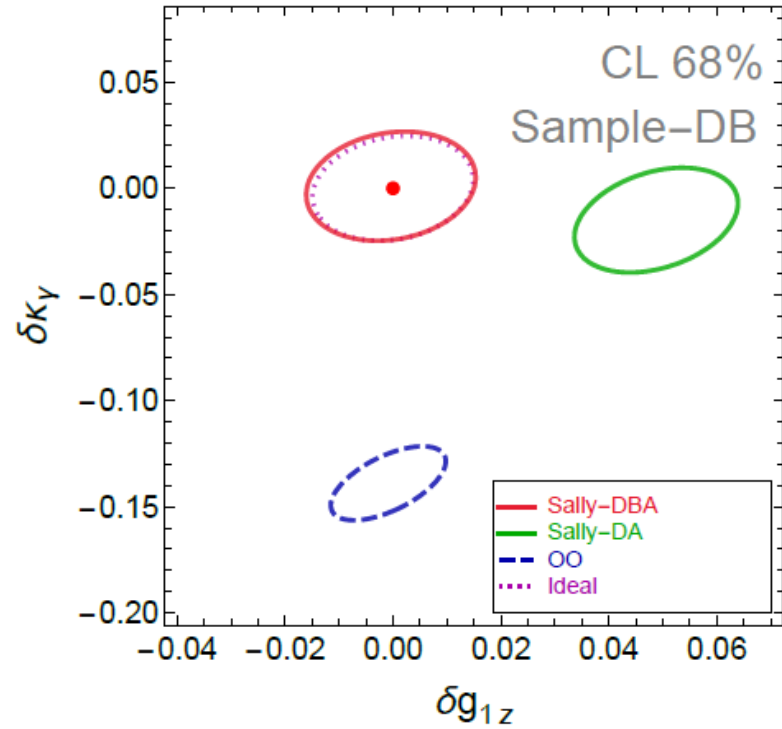


The OO that knows
nothing about ISR
and detector



The NN w/ SALLY
algorithm that
removes systematics

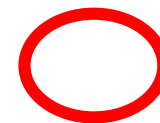
INJECTING BACKGROUND NOISE



Backgrounds injected
due to missing lepton in
detector (~10% total)

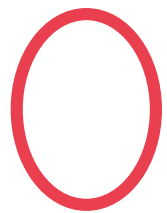
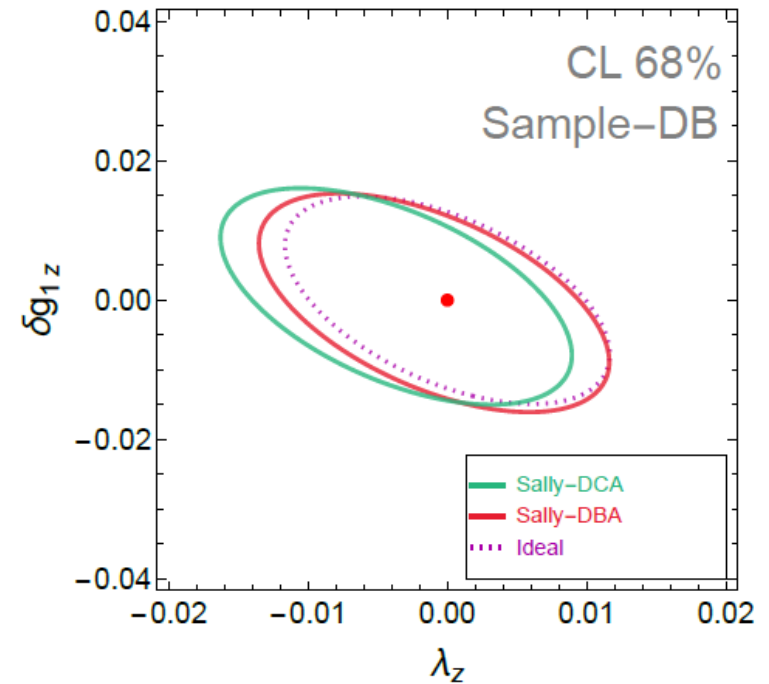
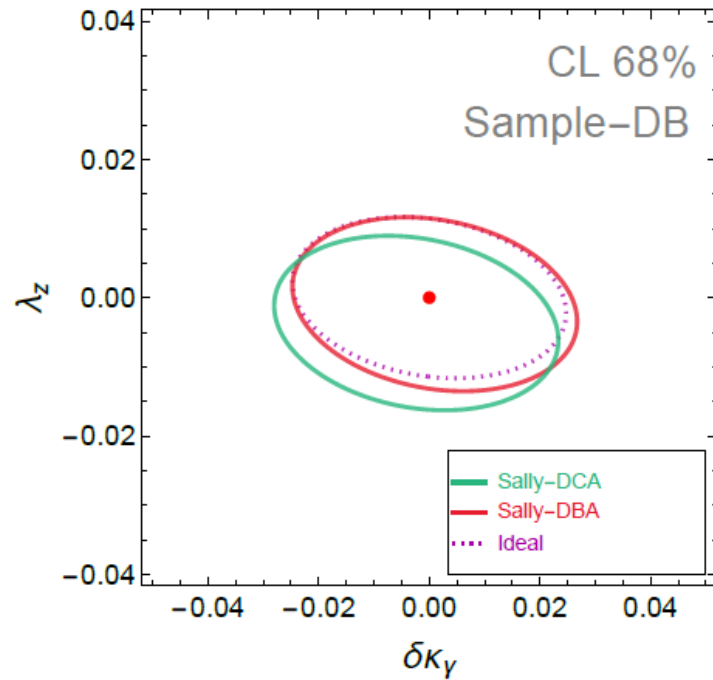
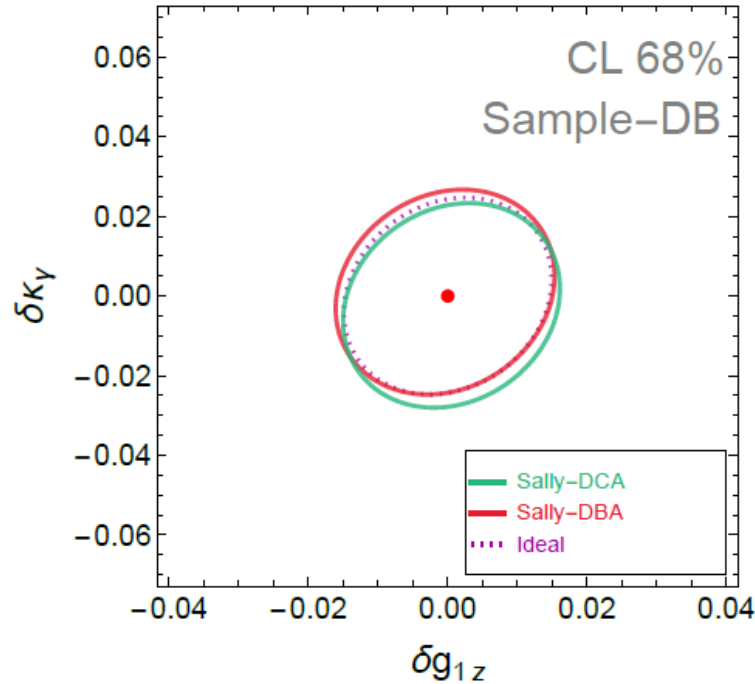


Never seen backgrounds
before



NN ensemble trained
with backgrounds

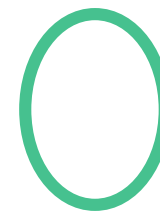
TWO WAYS AGAINST BACKGROUND



Training the SALLY algorithm with background events
One single network system



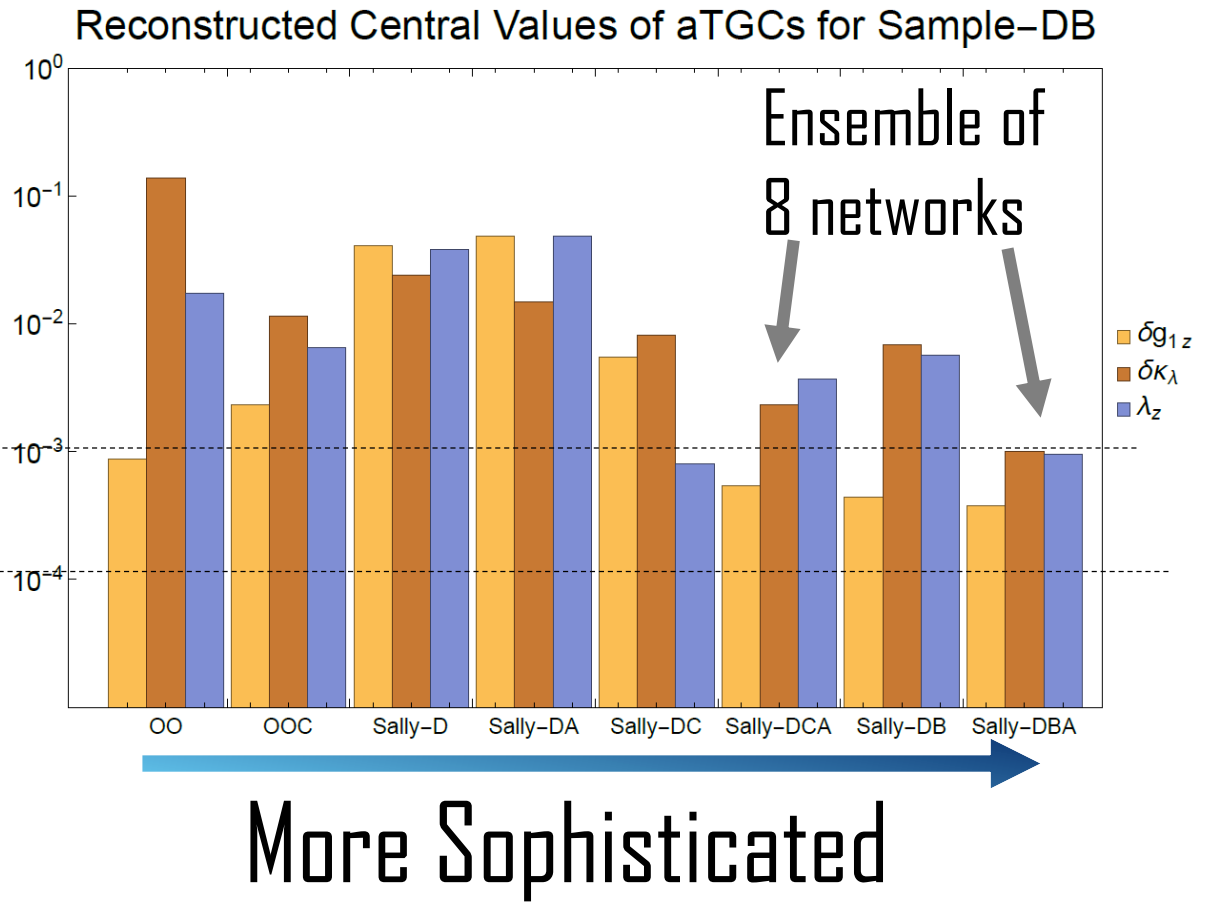
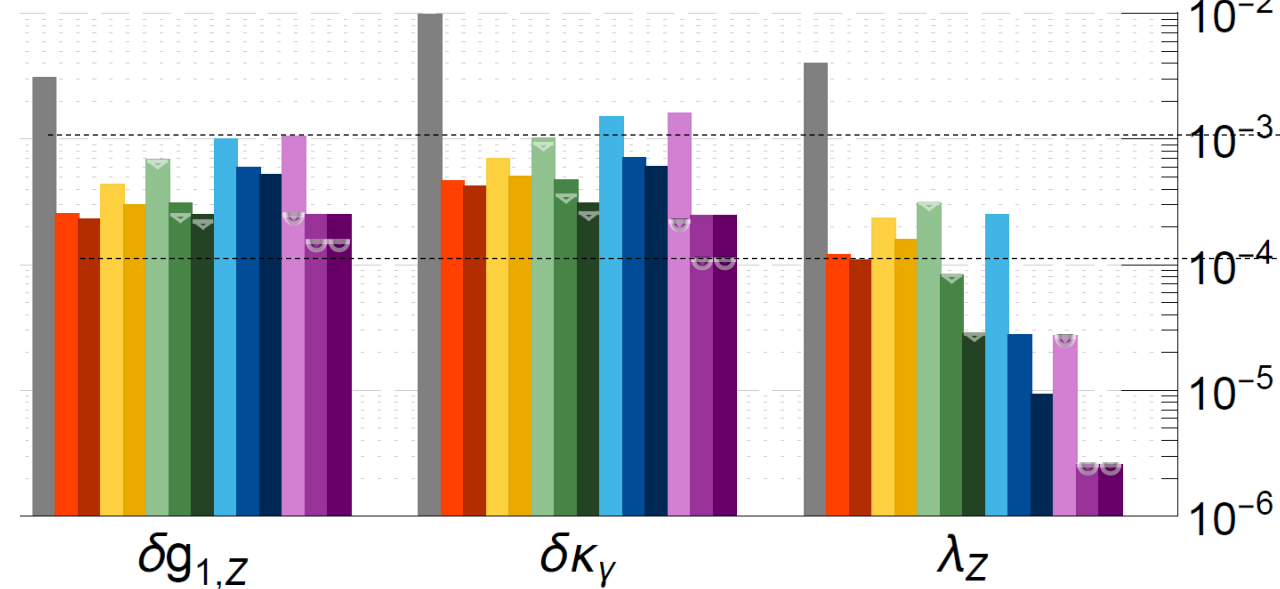
Ideal Training



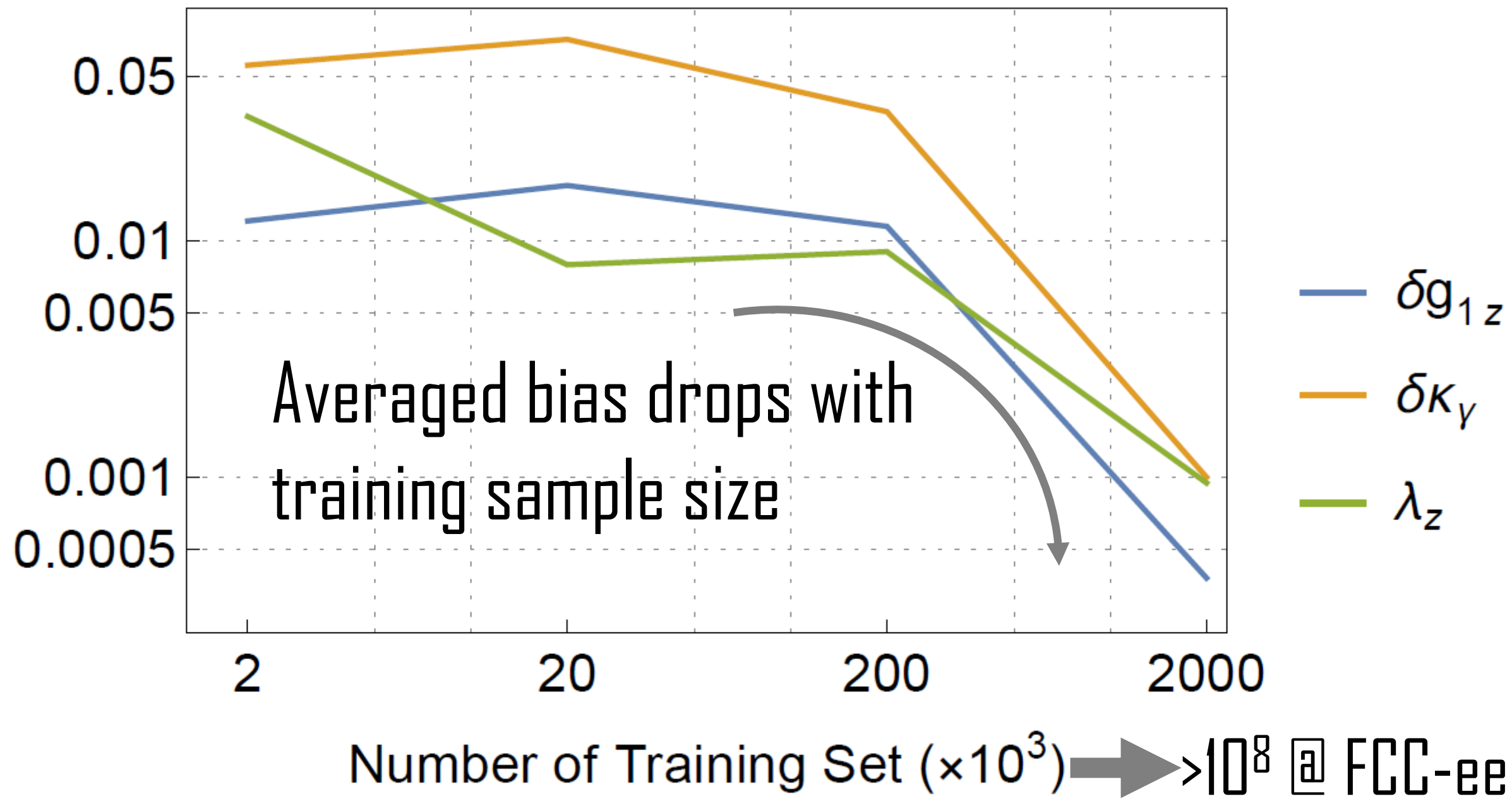
Excluding the background by a classifier.
Work separated in two networks

STABILIZE PERFORMANCE

Training sample size: $2 \cdot 10^6$,
much smaller than 10^8
expected at Higgs factories

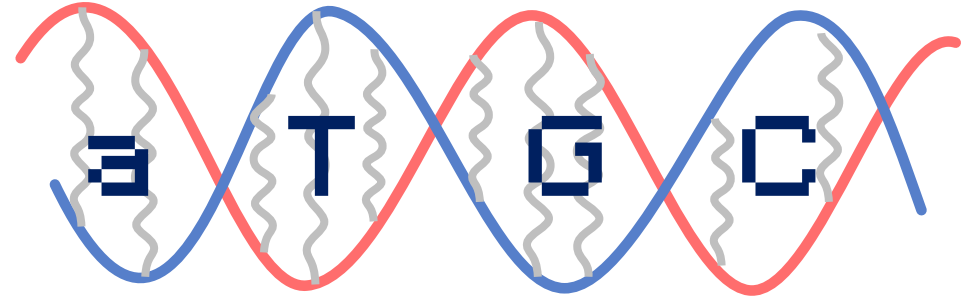


Central Value of aTGCs



SUMMARY

- ❑ SM precision tests relies on differential measurements (especially aTGC)
- ❑ Introduced ML to work against systematic injections
- ❑ Binless SALLY algorithm
- ❑ Potential to control uncertainties with a small training set



STILL MANY TO DO...

- ❑ Apply to other problem at FCC
- ❑ More advanced network structure
- ❑ ML self-calibration of systematics
- ❑